

# The distinct stellar metallicity populations of simulated Local Group dwarfs

Anna Genina<sup>1</sup>,<sup>1</sup>★ Carlos S. Frenk,<sup>1</sup> Alejandro Benítez-Llambay,<sup>1</sup> Shaun Cole,<sup>1</sup> Julio F. Navarro,<sup>2</sup>† Kyle A. Oman<sup>3</sup> and Azadeh Fattahi<sup>1</sup>

<sup>1</sup>*Institute for Computational Cosmology, Department of Physics, Durham University, South Road, Durham DH1 3LE, UK*

<sup>2</sup>*Department of Physics & Astronomy, University of Victoria, Victoria, BC V8P 5C2, Canada*

<sup>3</sup>*Kapteyn Astronomical Institute, University of Groningen, Postbus 800, NL-9700 AV Groningen, the Netherlands*

Accepted 2019 July 2. Received 2019 July 2; in original form 2018 December 12

## ABSTRACT

A number of Local Group dwarf galaxies are known to have two spatially segregated stellar metallicity populations, a centrally concentrated metal-rich population, and a more extended metal-poor population. In this work we discuss mechanisms that lead to the formation of two spatially segregated metallicity populations. Using a set of high-resolution hydrodynamical simulations of Local Group-like environments, we select a sample of satellite and field galaxies, spanning the stellar mass range  $10^6$ – $10^9 M_{\odot}$ , that exhibit bimodality in their metallicity distributions. Among those, we identify a subsample with a strong spatial segregation in the two populations. We find three distinct mechanisms for their formation. In field dwarfs and in a small fraction of satellites, a merger causes the metal-poor stars to migrate to larger radii and encourages the available gas to sink to the centre of the dwarf. Most of the gas is subsequently blown out of the halo through star formation feedback, but the remaining gas is consumed in the formation of a metal-rich population. In the exclusive case of satellites that have retained some of their gas at infall, it is the compression of this gas by ram pressure near pericentre that triggers the formation of metal-rich stars, whilst simultaneously preventing star formation at larger radii through stripping. Additionally, in a small number of field and satellite dwarfs, interactions with gaseous filaments and other galaxies can result in the formation of a metal-rich population. Regardless of the formation mechanism, a history of mergers typically enhances the spatial segregation.

**Key words:** galaxies: dwarf – galaxies: evolution – galaxies: formation – galaxies: interactions – Local Group.

## 1 INTRODUCTION

Dwarf galaxies in the Local Group show a diversity of star formation histories: some form the majority of their stars in a short burst early on, while others continue to form stars over their lifetime at varying rates (Dolphin et al. 2005; Tolstoy, Hill & Tosi 2009; Weisz et al. 2014; Gallart et al. 2015). Some also exhibit signs of peculiar kinematics and stellar substructure, suggesting a history of accretion (Amorisco & Evans 2012; del Pino, Aparicio & Hidalgo 2015; del Pino et al. 2017a,b; Cicuéndez & Battaglia 2018). A number of satellites of the Milky Way and Andromeda, including Sculptor, Fornax, Sextans, Andromeda II, and Carina display evidence of distinct stellar metallicity and age populations (Tolstoy et al. 2004; Battaglia et al. 2008, 2006, 2010; 2012; Ho et al. 2012). The younger

and metal-rich stars are typically centrally concentrated; the older and metal-poor stars are more spatially extended. In certain cases the two populations exhibit different kinematics. This feature has been widely used for dynamical mass modelling of these galaxies (Amorisco & Evans 2011; Walker & Peñarrubia 2011; Genina et al. 2018; Hayashi et al. 2018).

A number of possible scenarios for the formation of two metallicity populations have been proposed. The simplest suggest gas reaccretion or recycling, whereby the feedback from the first episode of star formation empties the gas reservoir and the second population is not formed until the gas returns and cools (Dong, Lin & Murray 2003; Tolstoy et al. 2004). These highly idealized models do not explain why the two metallicity populations should exhibit spatial segregation.

The work of El-Badry et al. (2016) suggests baryon inflows and outflows associated with bursts of star formation as a driving force behind stellar radial migration. The gravitational potential fluctuations that are also responsible for the formation of inner

\* E-mail: [anna.genina@durham.ac.uk](mailto:anna.genina@durham.ac.uk)

† Senior CIFAR Fellow.

dark matter cores in these simulations tend to heat the orbits of the stars over long time-scales. Thus, the older and more metal-poor stars migrate to systematically larger distances than younger ones, creating a metallicity and an age gradient. This mechanism would explain the presence of gradients in some dwarf galaxies. However, unless this mechanism is coupled to another process triggering two well separated episodes of star formation activity, it is unclear how it can lead to large spatial segregations such as that observed in, for example, Sculptor, where the effective radius of the metal-rich population is  $\sim 0.55$  that of the metal-poor population (Battaglia et al. 2008; Walker & Peñarrubia 2011).

The works of Benítez-Llambay et al. (2015, 2016) suggest gas-rich mergers as a mechanism for forming two stellar populations that are distinct in age and spatial extent. Using the CLUES simulations (Gottlöber, Hoffman & Yepes 2010), these authors find that some haloes, ranging in stellar mass from  $9 \times 10^6$  to  $6 \times 10^7 M_{\odot}$  are able to form stars before reionization but, due to star formation feedback and a low virial mass, they are not able to reaccrete gas until a late-time merger takes place and funnels gas to the centre, resulting in a second burst of star formation. A merger increases the velocity dispersion of the old stars. This scenario can explain both why the stellar populations are distinct in age and also why the younger population is more centrally concentrated than the older population.

In their zoom-in simulations of isolated dwarfs using the chemodynamical  $N$ -body code GEAR (Revaz & Jablonka 2012), Revaz & Jablonka (2018) find no such late accretion events that result in the formation of two metallicity populations. However, they do find that the dwarf galaxies with significantly steeper metallicity gradients than others appear in systems that have assembled early on from metal-poor galaxy progenitors, resulting in a very extended distribution of metal-poor stars.  $N$ -body simulations show that dwarf–dwarf mergers are not uncommon in a  $\Lambda$ -Cold Dark Matter ( $\Lambda$ CDM) universe (Deason, Wetzel & Garrison-Kimmel 2014). Furthermore, these would help explain photometric and kinematic anomalies present in dwarfs such as Andromeda II and Fornax (Amorisco, Evans & van de Ven 2014; Łokas et al. 2014; del Pino et al. 2017a).

Another plausible formation path has been suggested by Wright et al. (2019). These authors identified ram pressure as a mechanism for the reignition of star formation in field dwarf galaxies of stellar mass in the range  $9.2 \times 10^8$ – $8.4 \times 10^9 M_{\odot}$ , and in which the star formation history has a prolonged gap. They find that star formation may be reignited by ram pressure due to, for example, gas blown out by intense star formation activity from a nearby galaxy. Given sufficiently low velocity relative to the surrounding medium, the hot gas in the outer regions of the halo may be stripped while the gas in the inner regions may be compressed and cooled resulting in a new star formation episode and the formation of metal-rich stars.

Kawata et al. (2006), on the other hand, argue that the two metallicity populations observed in Sculptor may, in fact, be a single stellar population. These authors were able to reproduce Sculptor’s steep metallicity gradient in a simulated galaxy that undergoes a single star formation episode at  $z = 13$ – $20$ . The star formation in their simulated dwarf is powered by smooth accretion, where the gas is primarily enriched in the denser central regions, while supernovae feedback prevents star formation in the outermost regions. This mechanism creates a metallicity gradient that is sufficiently steep, such that the system appears to contain two chemodynamically and spatially distinct populations.

A successful scenario for the formation of dwarfs with two stellar metallicity populations would need to explain both the

difference in the age/metallicity of the two populations as well as the difference in their spatial extent. Whilst the works of Benítez-Llambay et al. (2016) and Wright et al. (2019) have been able to achieve this, neither have considered satellite dwarfs in a Local Group-like environment. In this work we analyse the assembly histories of both field and satellite dwarf galaxies with stellar masses spanning the range  $10^6$ – $10^9 M_{\odot}$  in five high-resolution hydrodynamical simulations of environments resembling that of the Local Group. We will identify two-metallicity population dwarf galaxies and examine their formation paths. We will further discuss how these histories are imprinted in the observable properties of the dwarfs.

The details of the simulations and the galaxy sample are discussed in Section 2. In Section 3 we examine the formation histories of field dwarfs with two metallicity populations and analyse the satellites in Section 4. Section 5 explores the stellar mass dependence of these mechanisms. In Section 6 we look at the properties of the individual stellar populations. Section 7 examines the conditions necessary to observe bimodality in metallicity distributions and in Section 8 we summarize our conclusions. Readers who are particularly interested in dwarf satellites (for which we have uncovered a new physical process) may wish to skip directly to Section 4.

## 2 SIMULATIONS

### 2.1 APOSTLE simulations

A Project Of Simulating The Local Environment (APOSTLE) consists of a suite of hydrodynamical zoom simulations of 12 cosmological volumes; volumes AP-(1-12) were simulated at medium and low levels of resolution (L2 and L3) while five volumes (AP-1, AP-4, AP-6, AP-10, and AP-11) were simulated at high resolution (L1). In this work we use only the five L1 volumes. The Milky Way and Andromeda analogues were selected from the DOVE simulation (Jenkins 2013). The separations, masses, radial, and tangential velocities of the halo pairs, as well as the broad kinematics of other members of the Local Group analogues were chosen to satisfy observational constraints (Fattahi et al. 2016). The simulations are described in detail in that paper and in Sawala et al. (2016).

APOSTLE was run with the EAGLE code (Crain et al. 2015; Schaye et al. 2015), which is a modified version of the TreePM smoothed particle hydrodynamics (SPH) code GADGET 3 (Springel 2005). EAGLE was calibrated to reproduce the stellar mass function at  $z = 0.1$  in the resolved range of  $10^8$ – $10^{11} M_{\odot}$ , as well as galaxy sizes and colours.

Radiative cooling and photoheating prescriptions in EAGLE follow Wiersma, Schaye & Smith (2009a). Star formation is stochastic and follows a pressure law described by Schaye & Dalla Vecchia (2008). The star formation threshold is dependent on both the number density of hydrogen and the gas metallicity, following the prescription of Schaye (2004). Each stellar particle represents a stellar population with masses between  $0.1$  and  $100 M_{\odot}$ , following a Chabrier (2003) initial mass function. Newly formed stellar particles inherit their parent gas kernel smoothed abundances. Altogether 11 chemical elements are tracked: H, He, C, N, O, Ne, Mg, Si, S, Ca, and Fe. Nine of these are tracked individually, while Ca and S are assumed to have fixed mass ratios relative to Si. Stellar evolution and mass-loss follows the model of Wiersma et al. (2009b) and includes winds from AGB, massive stars, and SNe Type II. The rate of SNe Type Ia follows a time delayed exponential distribution function. Their yields are taken from Thielemann et al. (2003). Lost stellar mass is distributed through an SPH kernel to 48 gas particle

neighbours. Stochastic thermal feedback from star formation is implemented following Dalla Vecchia & Schaye (2012). Hydrogen reionization is modelled by a spatially uniform and time-dependent ionizing background, which is turned on instantaneously at  $z = 11.5$  (Haardt & Madau 2001; Schaye et al. 2015).

## 2.2 Constructing merger trees

We constructed merger trees using the HBT+ halo finder (Han et al. 2018). Each halo in the simulation is assigned a ‘track ID’ which is used to follow the main progenitor across time. Thus, the position and velocity of the main progenitor at every snapshot in the simulation may be determined. We calculate the centres of subhaloes using the ‘shrinking spheres’ algorithm (Power et al. 2003) on at least 100 stellar particles, if present, or on the bound dark matter particles if not.

## 2.3 Calculating V-band luminosities

The V-band luminosities for our simulated dwarfs are calculated following the GALAXEV population synthesis model of Bruzual & Charlot (2003). The model provides absolute AB magnitudes of a stellar population with mass  $M_{\odot}$ , age  $t_*$ , and metallicity  $Z_*$ , assuming a Chabrier (2003) initial mass function. The magnitudes are tabulated on a grid of metallicity ( $1 \times 10^{-4} < Z_* < 5 \times 10^{-2}$ ) and age ( $0.1 < t_*/\text{Myr} < 2 \times 10^4$ ). For each simulated stellar particle, described by its initial mass, age, and metallicity, we thus perform a 2D interpolation over the age–metallicity grid and obtain its absolute magnitude in the V-band. If the simulated stellar particle falls outside the metallicity range of interpolation, we assume that its metallicity is either the minimum or maximum value of the tables (i.e. we do not perform an extrapolation).

In this work we will use these luminosities to calculate quantities that are compared to observations (such as the half-light radius).

## 2.4 Defining stellar metallicity populations in galaxies

We now define what we mean by galaxies with two metallicity populations.

We use  $[\text{Fe}/\text{H}]$  as the measure of metallicity, as is common in observational work.<sup>1</sup> For each stellar particle, kernel-smoothed metallicity abundances are used. In order to identify the number of stellar metallicity populations in dwarf galaxies, we employ a peak finding algorithm. We fit the  $[\text{Fe}/\text{H}]$  distribution with a Gaussian Mixture Model (GMM) (Hastie, Tibshirani & Friedman 2009) in order to eliminate the effects of noise in the distribution. We exclude extremely metal-poor stellar particles ( $[\text{Fe}/\text{H}] < -4$ ) from the fit as these lie in a long tail of the distribution that may bias the fit. We have verified that this choice indeed removes the extremely low-metallicity tail and does not discriminate against identifying the more metal-poor subpopulations.<sup>2</sup>

To identify the best performing GMM, we evaluate  $\chi^2$  for the binned data, with the optimal number of bins determined by Doane’s formula for non-normal distributions (Doane 1976). We test  $n$  components for the GMM, where  $n < m/3$ ,  $m$  being the number

of bins, and evaluate their quality in representing the data using the Akaike Information Criterion corrected for sample size (AICc; Akaike 1998). The model with the smallest AICc is selected and a peak finding algorithm is run on the resultant metallicity distribution function. A peak location is defined as a point,  $i$ , where the function,  $f$ , has a local maximum, such that  $f_{i-1} < f_i > f_{i+1}$ . The number of identified peaks in the distribution of  $[\text{Fe}/\text{H}]$  is the number of unique stellar populations in the galaxy. Once the peaks have been found, in cases where the number of populations is greater than one, we split the stellar particles into their respective populations by applying a hard cut at the positions of the local minima between the peaks.

By definition, our method identifies galaxies with two or more peaks in their stellar metallicity distributions. However, in some cases the size of a subdominant population may be negligible, such that the galaxy effectively consists of a single stellar population. We thus consider dwarfs in which the mass ratio of the smaller to the larger population is less than 10 per cent as single population galaxies. We additionally limit our sample to galaxies where any stellar population contains at least 100 stellar particles. At this limit sampling noise becomes important, although some galaxy properties can be measured with 20 per cent accuracy (see the Appendix of Genina et al. 2018) and, provided that the metallicity distribution exhibits distinguishable peaks, it is still possible to separate different stellar populations.

In Fig. 1, we show  $[\text{Fe}/\text{H}]$  distributions for examples of galaxies with one, two, and three identified stellar populations. The EAGLE model produces a wide range of stellar metallicity distributions and it is clear that the method works well in identifying populations of varying sizes in the distributions of  $[\text{Fe}/\text{H}]$ . We note that the metallicity distributions may be sensitive to the specifics of subgrid physics. In particular, metal mixing is not properly accounted for in our simulations, although the use of SPH-smoothed metallicities does somewhat mitigate this issue (Starkeburg et al. 2017). Nevertheless, the origin of metallicity distribution bimodality (see Sections A1 and A2 of the Appendix), spatial segregation and, thus, the main results of this work should not be affected.

The resulting sample consists of 290 galaxies with  $\sim 43$  per cent containing two metallicity populations (61 field and 64 satellite dwarfs), 10 per cent containing three (16 field and 14 satellites), and 47 per cent containing a single stellar component (66 field and 69 satellites). According to these statistics, nearly half of all simulated dwarfs above  $\sim 10^6 L_{\odot}$  exhibit metallicity bimodality in their  $[\text{Fe}/\text{H}]$  distributions. We find these ratios to be approximately constant across the range of luminosities above  $\sim 4 \times 10^6 L_{\odot}$ . Below this value the fraction of two-population dwarfs decreases steadily down to 20 per cent, but this is due to the imposed minimum number of stellar particles for a given metallicity population. We will discuss observational implications of this in Section 7.

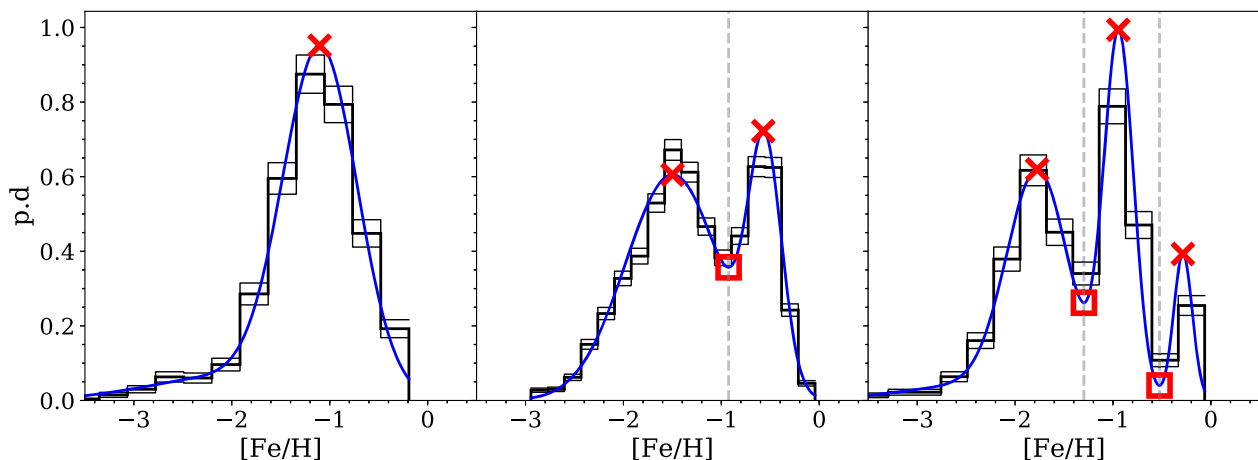
In what follows we consider only the dwarfs that contain two stellar populations, with a particular emphasis on the formation mechanisms responsible for the spatial segregation within these galaxies. We leave the three-population galaxies for future work. These may be interesting in the context of the dynamical method of Walker & Peñarrubia (2011) and may allow additional constraints to be placed on the slope of the dark matter density profiles.

### 2.4.1 Properties of our galaxy sample

We first demonstrate that the dwarfs in our sample have basic structural properties that resemble those of real field and satellite

<sup>1</sup>The adopted mass fractions are  $0.0014 M_{\odot}$  for iron and  $0.7381 M_{\odot}$  for hydrogen.

<sup>2</sup>Extremely metal-poor stars typically make up 0.5 percent of  $[\text{Fe}/\text{H}]$  distributions and we assign these stars to the metal-poor population in further analysis.



**Figure 1.** Metallicity probability density (p.d) for examples of galaxies with one (left-hand panel), two (middle), and three (right-hand panel) distinct stellar populations as determined by the method described in Section 2.4. The black lines show binned data and corresponding Poisson errors. The blue line shows the best-fitting Gaussian Mixture Model. The red crosses show the location of peaks; their number is equal to the number of identified populations. The red squares show the local minima and mark the locations where populations are split (also shown with a vertical dashed grey line).

dwarfs. In Fig. 2 we show the projected half-light radii,  $R_{\text{hl}}$ , line-of-sight velocity dispersion,  $\sigma_{\text{los}}$ , and the mean mass-weighted stellar metallicities,  $\langle [\text{Fe}/\text{H}] \rangle$ , as a function of  $V$ -band magnitude,  $M_V$ . We compare the values for our sample of galaxies with observed Local Group dwarfs. The Local Group data have been taken from McConnachie (2012) and includes all dwarfs for which measurements of half-light radius, line-of-sight velocity dispersion, and metallicity are available. Note that some of these measurements do not have error bars. The Milky Way and Andromeda satellites (red and blue symbols, respectively) as well as other Local Volume dwarfs (green symbols) shown in Fig. 2 are the same across the three panels. The velocity dispersion and half-light radii for the simulated dwarfs are shown with error bars representing the 16th and the 84th percentiles found by generating 1536 isotropically distributed lines of sight (Górski et al. 2005). The error bars for mass-weighted mean stellar metallicities are calculated by taking 1000 samples of stellar particles with the number of particles within each sample,  $N_{*, \text{sample}} \sim N_{*, \text{total}}/10$ . We exclude stellar particles with  $[\text{Fe}/\text{H}] > -4$  from the mean metallicity calculation, as these metallicities are sensitive to the mass resolution of our simulations (Schaye et al. 2015; Starkenburg et al. 2017). The two-population galaxies are shown in blue, satellites are represented with circles, and field dwarfs with squares. It can be seen that the two-population galaxies occur within a wide range of luminosities and galaxy sizes.

As a result of the imposed minimum number of stellar particles, our simulated galaxies are only comparable to some of the brightest, or classical, Local Group dwarfs. The black dashed line in the bottom panel of Fig. 2 displays the mean-metallicity – luminosity relation derived by Kirby et al. (2013), extrapolated to higher luminosities. The grey bands represent the scatter. Our simulated dwarfs trace this relation.

Sculptor, Fornax, and Andromeda II, particularly well-studied examples of two-population dwarfs, are identified on the plot. It can be seen that our sample contains galaxies of comparable luminosities to these three dwarfs. A number of simulated galaxies match the size and velocity dispersion measurements for Fornax, although its mean metallicity is above the locus traced by our galaxy sample. The sample contains matches for Sculptor in velocity dispersion and mean metallicity, although the half-light radius of Sculptor is

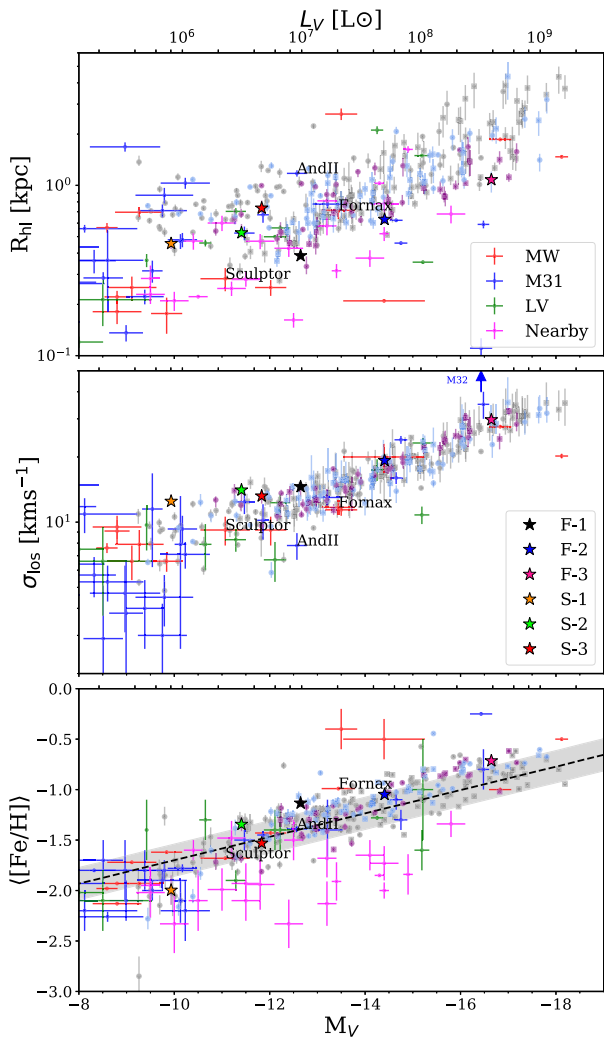
below those seen in our simulations at comparable luminosities. The size–luminosity relation in our simulations flattens at low luminosities ( $\lesssim 10^6 L_{\odot}$ ). As discussed in more detail in Campbell et al. (2017), the galaxy sizes are sensitive to spatial resolution and are typically larger than 2.8 times the Plummer-equivalent softening of our simulations (i.e.  $\sim 0.4$  kpc), which is the radius above which the forces are Newtonian. We have also explicitly checked that the luminosities derived from the stellar synthesis models are not responsible for the apparently large sizes of these galaxies, as their half-mass and half-number radii have comparable values. The sizes of these low-luminosity dwarfs and those of their subpopulations should be taken with caution in the rest of this work, but should not affect our ability to identify spatial segregation and its origin.

We now identify a subsample of these simulated dwarfs that also exhibit significant spatial segregation, comparable to that derived for Sculptor and Fornax, and examine their formation mechanisms.

### 3 ASSEMBLY HISTORY OF FIELD DWARFS

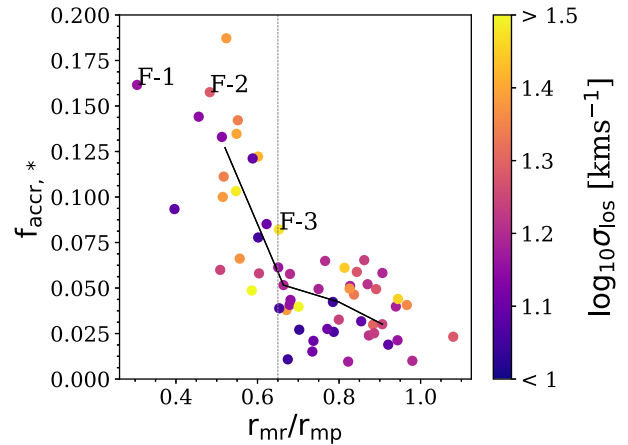
It has previously been suggested by Benítez-Llambay et al. (2016) and Revaz & Jablonka (2018) that mergers play a significant role in the formation of two-population systems. A merger provides a natural explanation for both the large spatial extent of the metal-poor stellar population and the reignition of star formation activity that results in the formation of a more metal-rich population. If this is indeed the case, simulated systems with strong spatial segregation between two populations should also exhibit larger fractions of accreted material. Fig. 3 shows the fraction of stellar particles that have formed outside  $\sim 0.15 \times R_{200}$  of the main progenitor<sup>3</sup> (i.e. that have been accreted),  $f_{\text{accr},*}$ , as a function of  $r_{\text{mr}}/r_{\text{mp}}$ , the ratio of the metal-rich to the metal-poor half-mass radii, with

<sup>3</sup>We define  $R_{200}$  as the radius enclosing a mean density of 200 times the critical density of the Universe. We find the  $0.15 \times R_{200}$  cut to be a reliable tracer of the accreted stellar particles since the merging galaxies tend to form a large fraction of stars during the merging process itself, i.e. within  $R_{200}$ . In practice, we vary this factor between  $(0.1 \text{ and } 0.4) \times R_{200}$  to better suit the stellar halo size of each system.

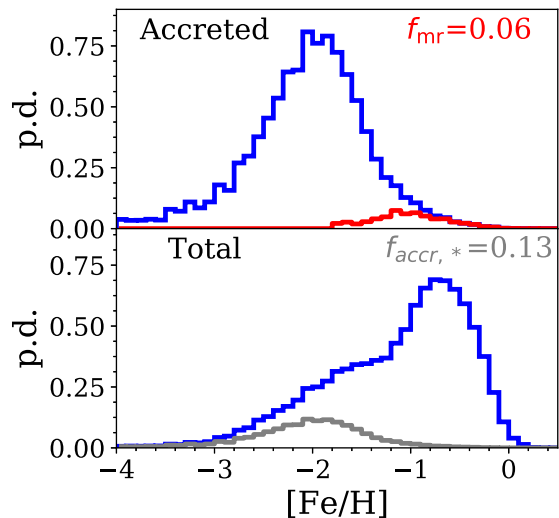


**Figure 2.** Top: Projected half-light radii for our sample of dwarfs as a function of  $M_V$ , with error bars representing the 16th and the 84th percentiles. Model galaxies with two metallicity populations are shown with blue symbols, with satellites and field dwarfs represented by circles and squares, respectively. The remainder of the sample is shown with grey symbols. The data for the Local Volume and nearby galaxies from McConnachie (2012) is shown with symbols identified in the legend. Corresponding  $V$ -band luminosities are shown in the upper horizontal axis. Middle: The  $V$ -band luminosity-weighted line-of-sight velocity dispersion for galaxies in our sample as a function of  $M_V$ . Bottom: Mean luminosity-weighted stellar metallicity as a function of  $M_V$  for our sample of dwarfs. The black dashed line shows the relation derived by Kirby et al. (2013). The specific examples of field and satellite galaxies that will be discussed later on are marked across the three panels with stars, as identified in the middle panel.

the colours representing the median of the line-of-sight velocity dispersion in these systems as a tracer of mass. It is evident that the two-population dwarfs make up two subsets: those that accrete a significant fraction of their stars, typically  $f_{\text{accr},*} > 0.05$ , and in which the spatial segregation is large ( $r_{\text{mr}}/r_{\text{mp}} \gtrsim 0.65$ ) and those where both the amount of accretion and the spatial segregation are small. This separation does not appear to be dependent on the mass of these systems as large spatial segregation is seen in both high ( $\sigma_{\text{los}} \sim 25 \text{ km s}^{-1}$ ) and low velocity dispersion systems ( $\sigma_{\text{los}} \sim 10 \text{ km s}^{-1}$ ).



**Figure 3.** The fraction of the accreted stellar particles,  $f_{\text{accr},*}$ , as a function of spatial segregation for galaxies with two metallicity populations. The points are coloured by the median of the line-of-sight velocity dispersion. The grey vertical dashed line separates dwarfs with low and high  $r_{\text{mr}}/r_{\text{mp}}$ . The galaxies on the left of this line are selected as our subsample of well spatially segregated galaxies. The black solid line shows the median relation in four bins of equal galaxy numbers. Three galaxies that will be studied in particular detail are labelled F-(1-3).



**Figure 4.** Top: Histogram of metallicities of accreted particles in field galaxies with  $r_{\text{mr}}/r_{\text{mp}} < 0.65$  (blue). The red histogram corresponds to the subset of accreted particles that belong to the metal-rich population. Bottom: Histogram of all stellar particles in blue. The subset of particles that are accreted are shown in grey. The histograms give equal weight to each galaxy.

We thus select dwarfs with  $r_{\text{mr}}/r_{\text{mp}} < 0.65$  as our subsample of galaxies that have two spatially segregated populations, which are a main focus of this work.

The top panel of Fig. 4 shows the distribution of the metallicities of accreted particles for all field dwarfs with two spatially segregated populations, with each galaxy given equal weight. The subset of accreted stellar particles that belong to the metal-rich population of their host galaxy is shown by the red histogram. It is evident that only a very small fraction of the accreted stars belong to the

metal-rich population (typically  $\sim 6$  per cent). We thus conclude that the metal-rich population in these dwarfs is primarily formed in-situ. The bottom panel shows the distribution of all particles in galaxies with two well-segregated populations (blue), with equal weight per galaxy. It appears that the field dwarfs show a preference for a more dominant metal-rich population. The grey histogram shows a subset of particles that were accreted. These particles are partly responsible for the metal-poor bump seen in two-metallicity population galaxies, though typically only  $\sim 0.13$  of the total stellar mass is made up of the stars that were accreted. Nonetheless, a large accretion fraction suggests prior merger activity; processes associated with these mergers are capable of inducing spatial segregation, as we now discuss.

### 3.1 Spatial segregation through mergers

We now investigate how mergers influence the spatial extent of the two metallicity populations. In Fig. 5 we illustrate this by tracking the evolution of the half-mass radii of three individual galaxies, ranging from the largest spatial segregation ( $r_{\text{mr}}/r_{\text{mp}} = 0.30$ ) to the segregation at which we cut to select our subsample ( $r_{\text{mr}}/r_{\text{mp}} = 0.65$ ). In the top row, the blue line represents the stars belonging to the metal-poor population formed in-situ and the red line shows the metal-rich population. The black line is the total half-mass radius. The half-mass radii are tracked from the moment when 50 stellar particles are present within the virial radius of the dwarf. We exclude the accreted stars as these make up a small fraction of the overall stellar population and their half-mass radii, throughout a dwarf's history, are not easily defined. The middle row shows the evolution of dark matter (black), gas (red) and stars (blue) bound mass,<sup>4</sup> normalized by their maximum mass throughout the history of the dwarf,  $M/M_{\text{max}}$ . The logarithmic maximum masses are shown in the upper left of each plot. The presence of mergers is evident as a sudden increase in dark matter mass. The metallicity–age distribution is shown in the bottom row for stellar particles present within the galaxy at  $z = 0$ . The black dashed line displays the value of the metallicity at which we split the two populations.

It can be seen that the mergers at early times are associated with a large increase in the half-mass radius of the system. The metal-poor particles that were formed in-situ prior to the merger move to larger characteristic radii. This is likely due to redistribution of particle energies as a result of a rapidly changing gravitational potential. This effect is particularly evident in dwarf F-1, where the half-mass radius almost quadruples in size. Dwarf F-1 undergoes a second major merger at  $\sim 5$  Gyr lookback time, with a secondary-to-primary halo mass ratio of  $\mu \sim 0.3$ . This mass ratio is far smaller than that at  $\sim 12$  Gyr ( $\mu \sim 1$ ) and has little effect on the spatial segregation of the two populations.

The early mergers in the three systems coincide with an increase in the number of stars formed and are followed by a significant increase in the stellar metallicity. As we demonstrate in Section A2 of the Appendix, these mergers are associated with a rise in star formation activity followed by a steep drop, as large fractions of gas are expelled in winds. The enrichment of the interstellar medium from the newly formed stars continues during this period of low star formation activity and the metal-rich stars are consequently formed at systematically higher metallicities. The metal-rich population

proceeds to form gradually until late times, creating a significant gap between the peak metallicities of the two populations (see Section A1 of the Appendix). We examine the origin of metallicity distribution bimodality and where the gas particle enrichment occurs in greater detail in the Appendix.

It can be seen in Fig. 5 that the half-mass radius of the metal-poor population increases to  $\sim 1.5$  kpc in all three dwarfs following the merger and the characteristic radii at which the metal-rich stars form appears to determine the extent of spatial segregation between two metallicity populations in these systems. From left to right of Fig. 5 the dwarfs increase in stellar and halo mass and the size of the metal-rich population in these galaxies likely follows a mass–size relation (see the top panel of Fig. 2). For instance, like F-2, dwarf F-3 undergoes an early merger; yet the spatial segregation between its two populations is smaller. This galaxy retains a larger fraction of gas following the merger, as well as accreting new gas, such that star formation continues during and immediately after the merger. This results in continuous enrichment of the stellar particles and a less pronounced gap in the distribution of metallicities. For a more massive halo, new stars are forming at correspondingly larger radii, limiting the spatial segregation. Nonetheless, the merger that this galaxy experienced increased the extent of the metal-poor population sufficiently that the final spatial segregation between the two populations is significant.

Nonetheless, as previously seen in Fig. 3, the spatial segregation is not determined by the final mass of the system, represented by velocity dispersion in that figure, and the radii at which the metal-rich stars form are additionally affected by halo assembly history, gas supply, and environment.

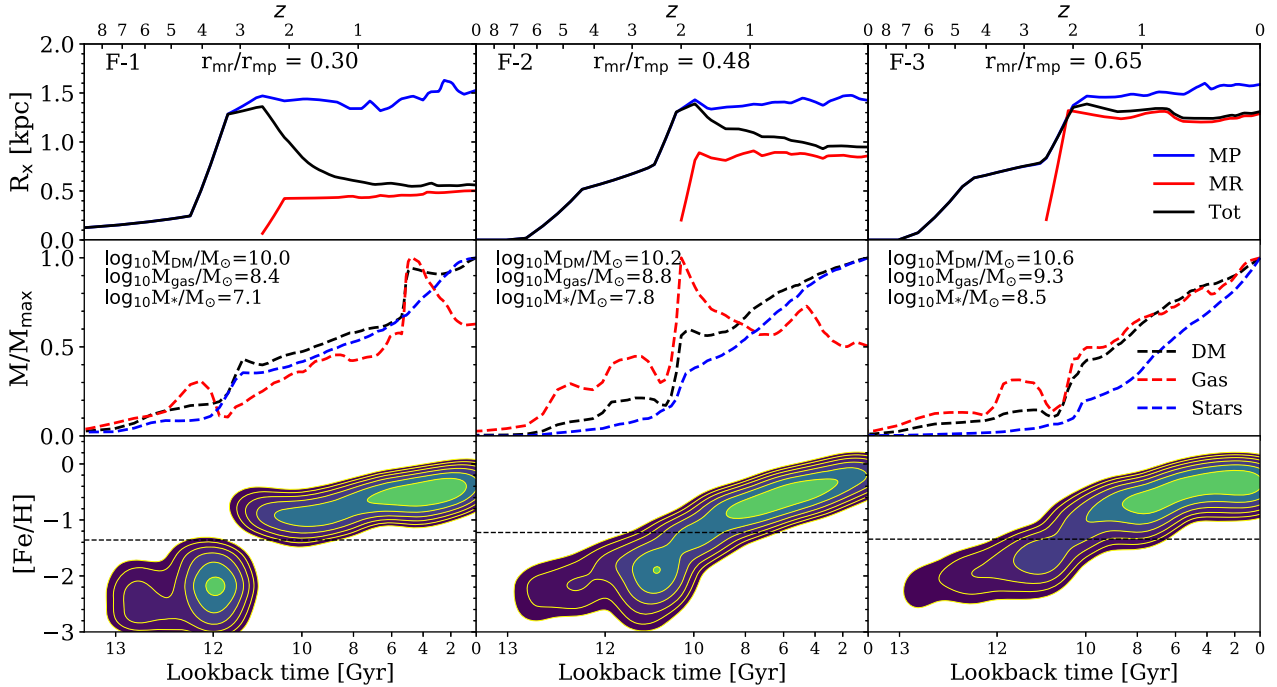
### 3.2 Merger-induced formation of two metallicity populations

We have seen that the spatial segregation between two metallicity populations in field dwarfs is related to mergers and their effect on the size of the metal-poor population as well as on the radii at which the metal-rich stars form. We now investigate the role that mergers play in the formation of two metallicity populations further.

In Fig. 6 we show the evolution of one particular two-population field dwarf with a strong spatial segregation ( $r_{\text{mr}}/r_{\text{mp}} = 0.48$ ), previously labelled as F-2. The top panel shows the stellar particles in the galaxy; the metal-poor stars are coloured blue and the metal-rich stars red. The middle panel displays the corresponding gas densities on a logarithmic scale, with black indicating the lowest densities and yellow the highest. The bottom panel shows the gas particles destined to form a star within the galaxy, coloured by their metallicity at that time, with blue the most metal-poor and red the most metal-rich.

At the lookback time of 11.63 Gyr the main progenitor is approached by two gas-rich haloes. These haloes will supply some of the gas that will form stars within the galaxy. By 11.13 Gyr those haloes have combined into a single halo that merges with the main progenitor at around 10.84 Gyr. The mass ratio in dark matter is  $\mu \sim 1$ , making this a major merger. The virial radius of the system,  $R_{200}$  (indicated by a white dashed circle), has visibly increased following the merger as has the extent of the metal-poor stellar population. During the merger, at 10.84 Gyr, one can see gas bubbles extending beyond the virial radius, the result of a wind powered by the large amounts of energy released by supernovae from stars that formed as a result of the merger. This gas is expelled beyond the virial radius and the majority will never return to form stars. The first metal-rich stars have been formed in this burst of star formation. A small fraction of gas remains at 9.03 Gyr and down to very late times

<sup>4</sup>Bound mass is determined via a core-averaged unbinding procedure, as implemented in Han et al. (2012, 2018).



**Figure 5.** Top: The evolution of the half-mass radius of the metal-poor stars formed in-situ (blue), the metal-rich stars (red), and the entire set of stellar particles formed in-situ (black). The lookback time is shown on the bottom axis and the redshift on the top. The subpopulations are tracked from the time when they first contain at least 50 stellar particles. From left to right are three examples of galaxies with progressively poorer spatial segregation. Middle: The evolution of mass for the dark matter (black), gas (red), and stars (blue). Sudden increases in dark matter mass correspond to mergers. The mass is normalized by the maximum component mass, shown by the labels in the upper left corners. Note that galaxy F-2 merges with two haloes at approximately the same time. Bottom: The metallicity–age relation for the three example galaxies. The rise in metallicity is seen to occur following a merger. The contours in probability density are spaced geometrically by factors of 2 and are consistent for the three galaxies.

this gas reservoir is enriched within the galaxy and continuously depleted by further formation of metal-rich stars.

Dwarfs F-1 and F-3 follow a similar formation history with the key differences being the halo masses and the ability to retain gas immediately after the merger. It is thus evident that two-population systems that end up with small values of  $r_{\text{mr}}/r_{\text{mp}}$  follow a well-defined formation mechanism. Dwarfs with  $r_{\text{mr}}/r_{\text{mp}} < 0.65$  can form within a wide range of halo and stellar mass. In these galaxies the peak of star formation occurs simultaneously with the merger, typically between 9 and 12 Gyr in lookback time. The associated burst of star formation leads to the expulsion of large amounts of gas, with only the most strongly bound gas remaining. The gas expulsion causes a decrease in star formation activity and, therefore, a drop in the number of metal-poor stars formed. The stars formed during the merger proceed to enrich the interstellar medium from which the metal-rich stars form, giving rise to a gap in the metallicity distribution. The dwarfs that do not follow these conditions typically end up with weaker spatial segregation and less clear bimodality in the metallicity distribution.

#### 4 THE FORMATION OF TWO POPULATIONS IN SATELLITE DWARFS

We now focus on the satellite dwarfs in the APOSTLE simulations. Unlike isolated dwarfs, these may be subject to tidal and ram pressure stripping, as well as other interactions with their hosts. As a result, the origin of the two metallicity populations is different to isolated galaxies.

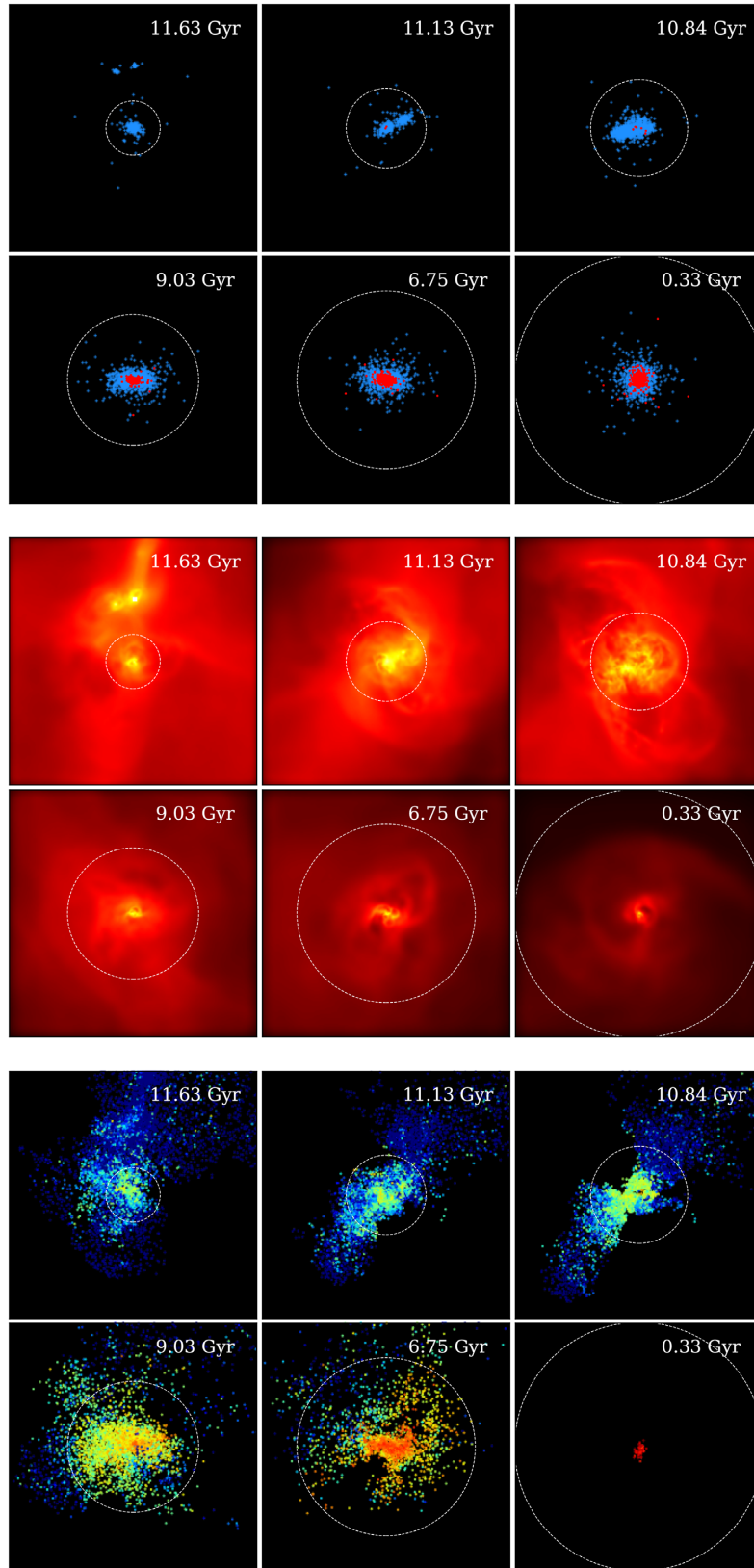
##### 4.1 Halo assembly in satellites

Following our discussion of field dwarfs, we now investigate the role of mergers in the formation of two metallicity populations in satellites. Similar to Figs 3 and 4, Fig. 7 shows the fraction of accreted stars and Fig. 8 the distribution of metallicities for the accreted and total stellar populations in the satellites.

A pattern similar to that in Fig. 3 may be seen, although with larger scatter. The galaxies with greater spatial segregation do indeed accrete larger fractions of their stars, though to a lesser extent than field dwarfs. As shown at the top of Fig. 8, approximately 1 per cent of the metal-rich population typically comes from outside the galaxy and thus, as in field dwarfs, the metal-rich population is predominantly formed in-situ. Unlike for field dwarfs, however, the total metallicity distribution displays a more dominant metal-poor population. For similar accretion fractions to those of field dwarfs, this would suggest that either the mergers tend to occur later in satellites, allowing less time for the metal-rich population to form, or that processes other than mergers are at play that shut off star formation, resulting in a smaller fraction of metal-rich stars.

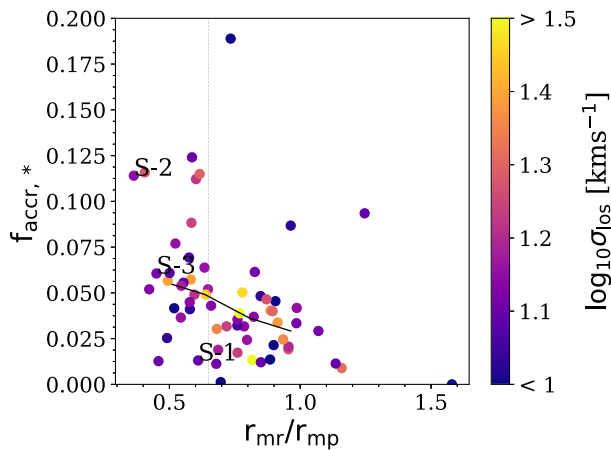
We can conclude that mergers may play some role in the formation of satellite dwarfs with two spatially segregated metallicity populations, yet lower accretion fractions and differences in the typical metallicity distribution compared to field dwarfs suggest that the precise mechanism may be more complex than in field galaxies.

We select the objects with  $r_{\text{mr}}/r_{\text{mp}} < 0.65$  as our subsample of satellite dwarfs with two well spatially segregated populations.

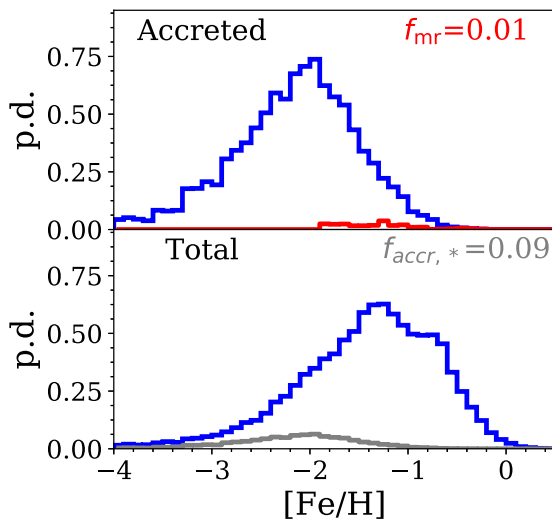


**Figure 6.** A field dwarf (labelled F-2) at six stages of its evolution. Lookback time is shown in the top right of each image. The images cover a cube of 50 kpc on a side. The galaxy is shown from a direction perpendicular to its angular momentum vector at each time. The white circles show the virial radius. Top: stellar particles with metal-poor particles in blue and metal-rich ones in red. Middle: the gas content of the dwarf. The kernel smoothed gas density varies from low density (dark red) to high density (yellow). Bottom: gas particles destined to form stars, coloured by their metallicity from lowest (blue) to highest (red).





**Figure 7.** Similar to Fig. 3, but for satellite dwarfs: the stellar accretion fraction for satellite dwarfs. The two-population satellites are shown with blue circles. The vertical grey line separates well- and poorly spatially segregated metallicity populations. The black line shows the median of the relation. Three dwarfs that will be later discussed in particular detail are labelled S-(1-3).



**Figure 8.** Similar to Fig. 4, but for satellite dwarfs with  $r_{\text{mr}}/r_{\text{mp}} < 0.65$ : histograms of metallicity for stars that have been accreted (upper figure) and for the total stellar population (bottom figure).

We will now examine the mechanisms by which the metal-rich population forms in these galaxies.

#### 4.2 Satellites with two metallicity populations and their environment

We have seen some evidence that the satellites tend to have smaller fractions of metal-rich stars than the field dwarfs. The process of infall into the host halo limits the gas available to form the second population of stars and thus may be responsible for the formation of a smaller metal-rich population. We now examine three examples of well spatially segregated satellite dwarfs in the context of their environment.

Fig. 9 shows the three example dwarfs in order of their stellar mass. The top panel shows the distance to the host galaxy (yellow line), the evolution of the gas fraction (black) and the star formation history (grey). The middle panel displays the metallicity–age

distribution for these galaxies and the lower panel shows the radii at which the metal-rich (red) and the metal-poor (blue) stars form.

##### 4.2.1 Two populations through mergers in satellites

Dwarf S-1 has the lowest stellar mass of the two-population galaxies in our sample. At  $\sim 13$  Gyr in lookback time it merges with a gas-rich halo and forms its entire metal-poor population in a quick burst of star formation that consumes all of the available gas, expelling the rest from the halo through star formation feedback. This is evident in the evolution of the gas fraction seen for this dwarf in Fig. 9. Following the burst, the galaxy smoothly accretes more gas that is used up over the next  $\sim 5$  Gyr in the formation of a metal-rich population. Note the peculiar shape of the metallicity–age distribution for this dwarf (middle panel). Some of the more metal-rich stars form first in this galaxy after the merger. This is because the first gas to return to the galaxy comes pre-enriched with metals expelled in the original outflow. The remainder of the accreted gas is slowly enriched as it sinks to the centre of the dwarf, with more metal-rich stars forming near the centre (bottom panel of Fig. 9). Further accretion of gas in S-1 is prevented as the galaxy falls into its host halo with the first pericentre at  $\sim 7$  Gyr in lookback time.

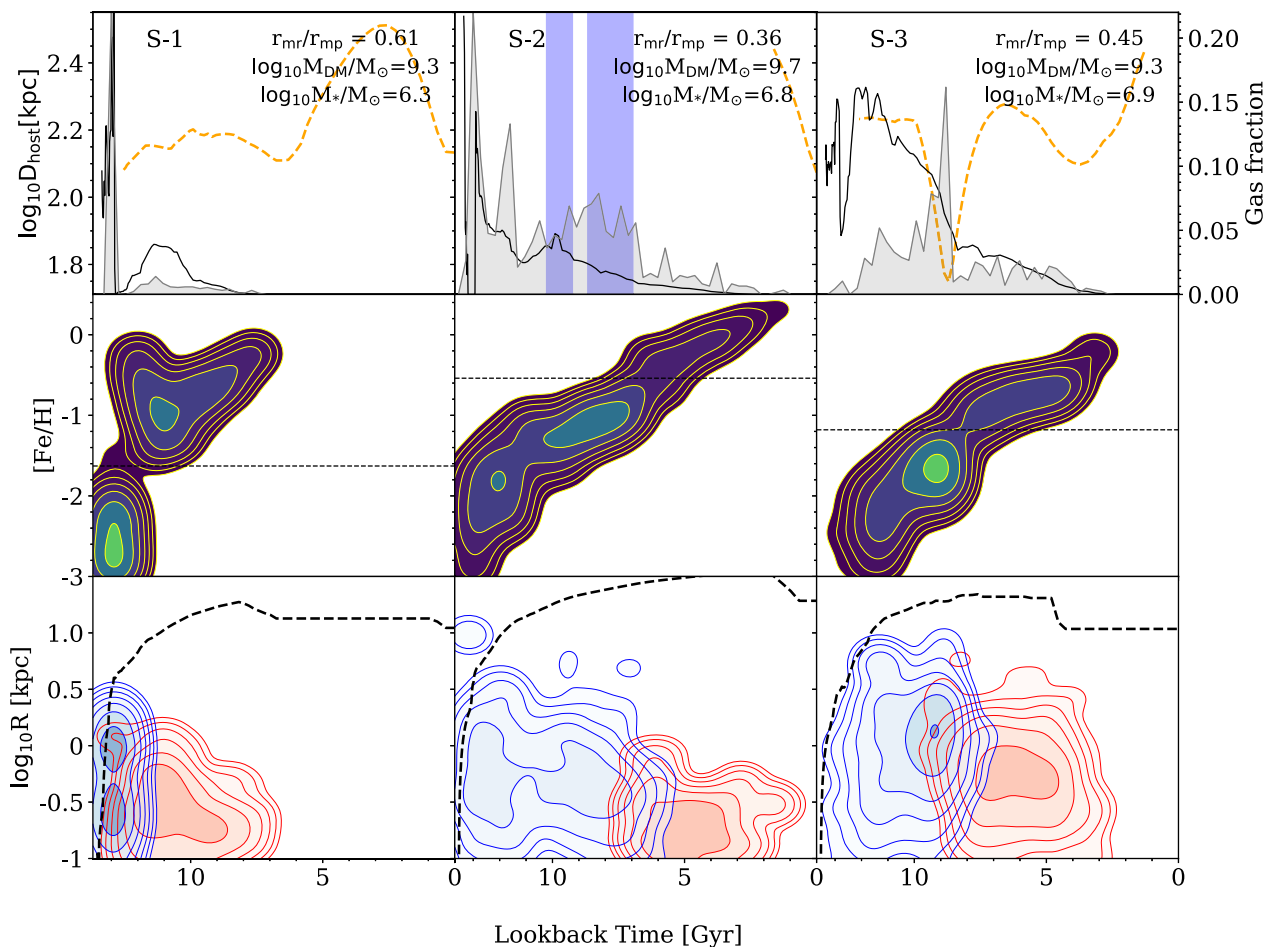
##### 4.2.2 Ram pressure-induced star formation

As can be seen in Fig. 9, dwarf S-2 does not reach the pericentre of its orbit by  $z = 0$  and only falls in within the last 1 Gyr. At lookback times of  $\sim 13$  Gyr and  $\sim 12$  Gyr it undergoes two accretion events, where its star formation peaks and the new stars are consequently formed with higher metallicities. Nonetheless, the metal-rich stars in this galaxy, as determined by our method, only begin forming at  $\sim 9$  Gyr, when the satellite passes through a gaseous cosmic filament (blue band), triggering an increase in the star formation rate. At  $\sim 8$  Gyr this galaxy passes through another gaseous filament. The metal-rich stars continue forming until the gas is depleted in this galaxy. Such interactions have been previously noted by Benítez-Llambay et al. (2013) and Wright et al. (2019). We show this passage through the cosmic filaments in greater detail in Fig. 10. This displays the gas distribution of the dwarf and its surroundings as it approaches the cosmic filaments (the first filament is seen coming from the bottom right corner at 10.25 Gyr and the second filament in the bottom left corner at  $\sim 8.69$  Gyr) and passes through the overdense regions. Following a passage through each filament the dwarf develops a tail of stripped gas. It is at these times that S-2 undergoes the intense star formation activity that enriches the interstellar medium and triggers the formation of metal-rich stars. Additionally, the stripping of the gas results in the preferential formation of these stars in the central regions, where the gas still remains bound (see bottom panel of Fig. 9).

A small fraction of dwarfs form their two populations through interactions with other dwarf galaxies. The two dwarfs pass by each other without a merger, but with interacting dark matter haloes and gas, which results in the compression of the gas in the centre and its stripping in the outer regions. Note that these two mechanisms are also applicable to field dwarfs.

##### 4.2.3 Induced star formation by pericentric passage

For dwarf S-3, the most intense episode of star formation activity is seen to align with the first pericentric passage in Fig. 9. In



**Figure 9.** Properties of three example satellites in order of increasing stellar mass. Top: Grey shaded areas show the SFH of the dwarfs in arbitrary units. The black solid lines show the gas fraction of the satellites (the bound gas mass divided by the dark matter mass), with the corresponding scale displayed on the right. The yellow dashed lines show distance to the host galaxy. For dwarf S-2, the blue bands show the times of interaction with cosmic filaments, as will be illustrated in Fig. 10. Middle: The metallicity–age distribution for the three galaxies. The dashed line shows the metallicity value at which our method splits the two populations. The probability density contours are geometrically spaced with a ratio of 2 and are consistent for the three dwarfs. Bottom: The radii at which the metal-rich (red) and the metal-poor (blue) particles form. The black dashed line is the evolution of the virial radius, which becomes the tidal radius after infall. The width of the smoothing kernel of the density estimate is consistent for the three galaxies across the middle and bottom panels.

the metallicity–age distribution (middle panel), this is visible as a density peak associated with the metal-poor population, followed by a tail of metal-rich stars.

In Fig. 11 we examine galaxy S-3 in particular detail. The top panel displays the orbit of the satellite and the formation of its stars. The star formation history is shown in the inset. The lower panel displays the gas distribution, with the white circles representing the virial radius at times prior to infall and the tidal radius after infall.<sup>5</sup>

This satellite falls into the host halo at  $\sim 9.34$  Gyr. As can be seen in the bottom panel, it still retains some amount of gas at infall. Between 8.87 and 8.53 Gyr the satellite passes the pericentre of its orbit and encounters the gaseous halo of its host, losing a significant fraction of its gas through ram pressure stripping, as shown by the tails in the gas distribution. However, during this time, star formation in the satellite peaks and, by approximately 8 Gyr, the first metal-rich stars begin to form. By  $\sim 3$  Gyr the satellite has turned most of its gas into stars and the remainder is further stripped by an

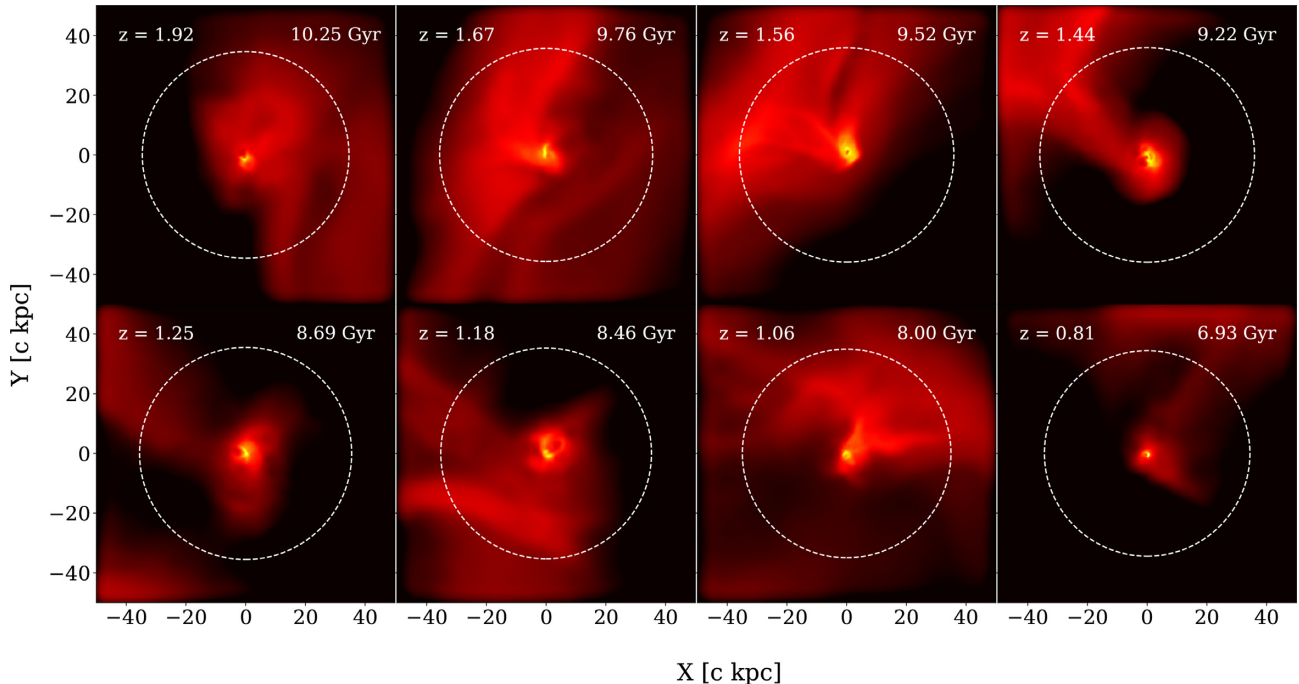
encounter with a larger subhalo, as seen in the bottom right panel (at 2.84 Gyr). The abrupt changes in the satellite’s orbit between 8 and 6 Gyr in lookback time are a consequence of the host galaxy undergoing a merger, resulting in a noticeable shift of its centre of potential whilst the merger is ongoing. We have verified that the orbit of the satellite is, in fact, smooth in a different reference frame.

The example of dwarf S-3 suggests a new mechanism for the formation of two metallicity populations, whereby near pericentre the satellite’s innermost gas is compressed in the centre of the dwarf triggering a starburst. This gives rise to significant enrichment of the interstellar medium over a short period of time and to the formation of a metal-rich population at the centre. Furthermore, due to ram pressure stripping, a large portion of the remaining gas is subsequently lost and star formation is shut off.

### 4.3 Summary

We have identified three processes by which satellites can form their two metallicity populations. The first, as in the example of dwarf S-1, is consistent with a scenario we previously found for field dwarfs, with an extra caveat of an interaction with a host galaxy,

<sup>5</sup>We define the tidal radius as the radius where the enclosed subhalo density is three times that of the host halo at that distance.



**Figure 10.** Gas density of dwarf S-2 as it passes through two cosmic filaments (top and bottom panels, respectively), which enhances star formation activity. The redshift and lookback times are given in the upper corners and the white circle represents the virial radius. The high density regions are shown in yellow and the low density regions in black.

where further growth of the metal-rich population is prevented by ram pressure stripping.

In galaxies S-2 and S-3 ram pressure and tidal interactions act to enhance the star formation activity and to enrich the interstellar medium, provided there is a pre-existing supply of gas. Furthermore, gas stripping allows only the innermost bound gas to remain to form stars, resulting in a high spatial segregation as well as a smaller fraction of metal-rich stars. The degree of spatial segregation achieved through this mechanism is expected to be limited by the size of the metal-poor population (in particular by whether or not it had been expanded by earlier merger activity) and the amount of gas available for star formation. Note that the Small and Large Magellanic Clouds have long been speculated to have episodes of enhanced star formation activity due to interactions with each other and the Milky Way (Weisz et al. 2013).

We note that merger activity or accretion is not uncommon in satellite dwarfs (see Fig. 7). This plays a significant role in increasing the extent of the metal-poor population, thus enhancing the spatial segregation, although these events do not appear to be the cause of the formation of the metal-rich population in the majority of our sample.

Whether these scenarios are applicable to Local Group satellite galaxies is, of course, dependent on the realism of star formation histories exhibited by simulated dwarfs. For APOSTLE dwarfs, this has been recently investigated by Digby et al. (2019), who find general agreement with Local Group galaxies for which the photometry reaches the main sequence turnoff.

The efficiency of gas stripping when a satellite falls into the halo of its host is one of the key aspects that determines whether it may continue to form stars. In Appendix B we show the mass in H I to light ratio for our dwarfs as a function of distance to the nearest host galaxy at  $z = 0$ . These values agree well with the current

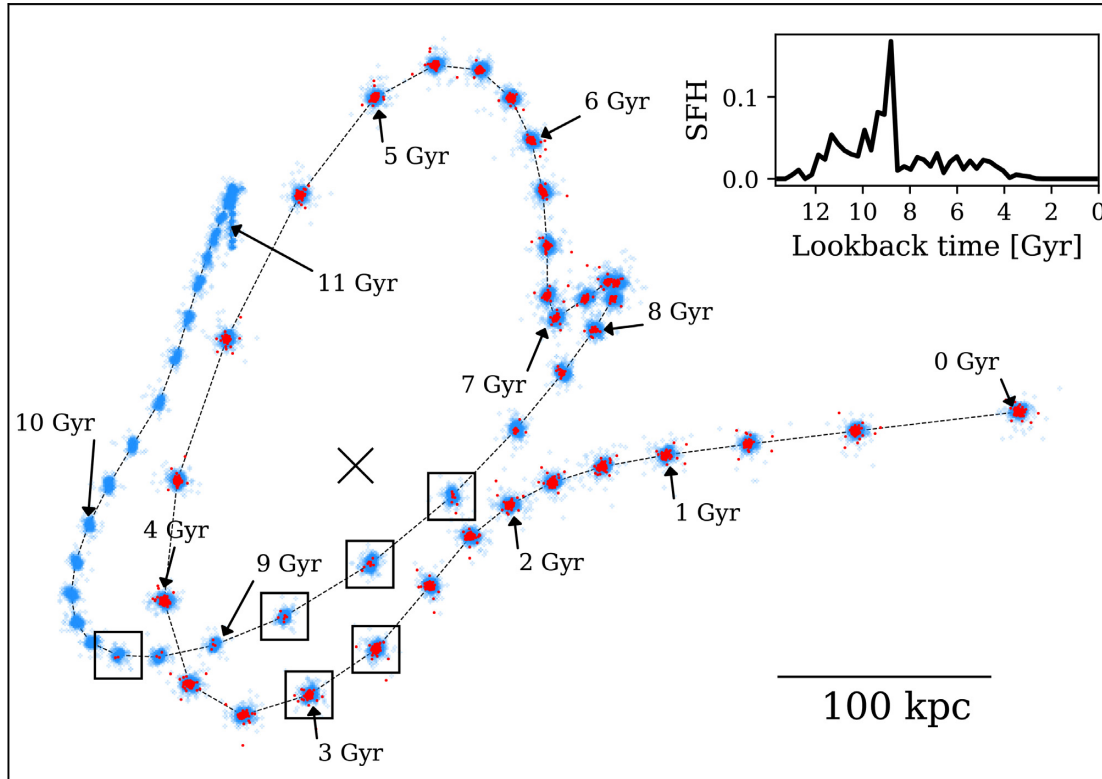
measurements. In light of this, the scenarios described above are certainly plausible in Milky Way and Andromeda satellites.

## 5 MASS DEPENDENCE OF THE FORMATION MECHANISMS

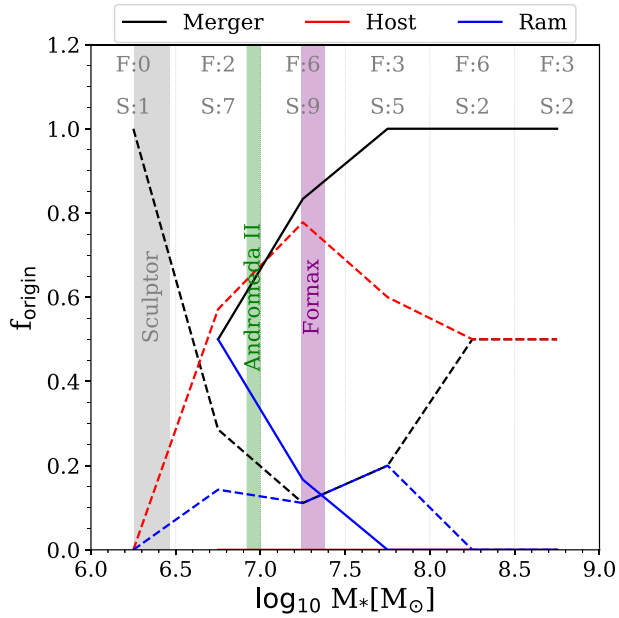
In this section we explore how the formation mechanisms described for field and satellite dwarfs with two spatially segregated populations operate for different bins in stellar mass. For each dwarf in this sample, we determine the primary cause of formation of the metal-rich population through analysis of the metallicity–age relation, as well as merger and environmental histories. In particular, we note the event responsible for sufficient gas enrichment that results in the formation of metal-rich stars. The results are shown in Fig. 12, where we explore six stellar mass bins,  $\log_{10}M_*/M_\odot = [6, 6.5, 7, 7.5, 8, 8.5, 9]$ , highlighted with grey dashed lines.

For field dwarfs with  $r_{\text{mr}}/r_{\text{mp}} < 0.65$  (solid lines), we find that  $\sim 90$  percent form their two populations through mergers (black), with the remainder forming through interactions with cosmic filaments and other dwarfs (blue). We find that the probability of formation through mergers steadily increases with stellar mass, as expected for more massive haloes.

We find that  $\sim 60$  percent of the satellites with  $r_{\text{mr}}/r_{\text{mp}} < 0.65$  (dashed lines) form their metal-rich population by passing through pericentre (red),  $\sim 30$  percent form through mergers (red) and  $\sim 10$  percent through interaction with filaments or nearby galaxies (blue). The pericentre mechanism for satellites dominates at all stellar masses above  $\log_{10}M_*/M_\odot = 6.5$ , remaining consistently at above  $\sim 50$  percent. Above  $\log_{10}M_*/M_\odot = 7.5$  the fraction formed through mergers increases from  $\sim 10$  percent to 50 percent. Below  $\log_{10}M_*/M_\odot = 6.5$  only S-1 is present in our sample, which formed through a merger. There is some evidence for an



**Figure 11.** Top panel: The evolution of the satellite (labelled S-3) since its first stars formed just before a lookback time of 11 Gyr. The thin dotted line tracks the orbit of the satellite in the reference frame of the host halo. The black cross shows the position of the host halo. The squares mark important stages of the satellite's evolution. Between 9 and 8 Gyr in lookback time the satellite passes through the pericentre. At  $\sim 3$  Gyr it encounters a larger, more massive, satellite. The inset at the top right displays the star formation history. The abrupt changes in the orbit between 8 and 6 Gyr are caused by a fluctuation in the centre of potential of the host halo as it merges with a massive object. Bottom panel: the evolution of the gas distribution during the six stages of the satellite's evolution, as shown with squares in the upper figure. The yellow portion shows high density and black shows low density regions. The circle indicates the virial radius before infall ( $\sim 9.5$  Gyr) and the tidal radius thereafter. The images show a cube of 50 kpc on a side.



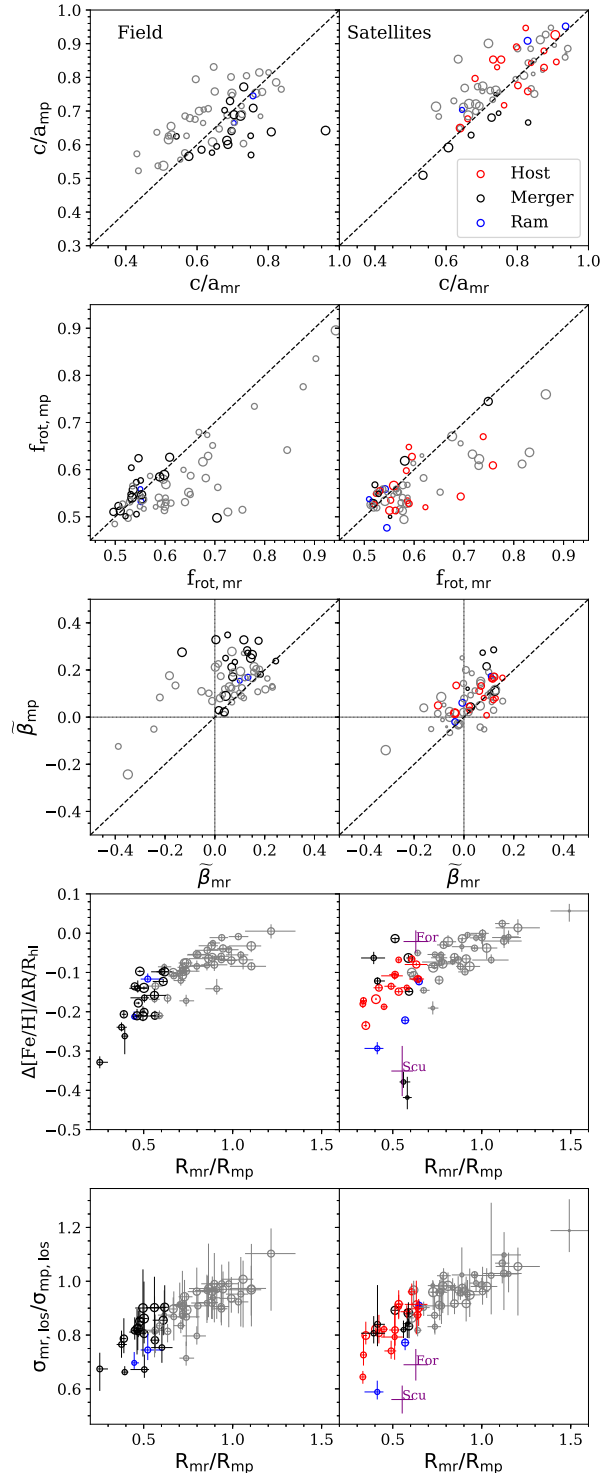
**Figure 12.** The fraction of field (solid lines) and satellite (dashed lines) dwarfs forming through each mechanism: mergers (black), interaction with a host galaxy (red, for satellites only), and ram pressure and tidal interactions with cosmic filaments or other galaxies (blue). The bins in stellar mass are separated with grey dashed lines. At the top, we show the number of field and satellite dwarfs within each bin. The stellar masses (assuming stellar mass-to-light ratio of 1) for Sculptor, Fornax, and Andromeda II are shown with coloured bands.

increase in the formation of a metal-rich population through mergers below  $\log_{10} M_*/M_\odot = 7$ . It is difficult to say whether in this mass range the merger scenario would dominate, given the sample size, although these lower mass objects are certainly less likely to maintain sufficient amounts of gas to form a metal-rich population at pericentre.

The grey, green, and purple bands show the mass ranges for Sculptor, Andromeda II, and Fornax, respectively (assuming stellar mass-to-light ratio equal to 1) (McConnachie 2012). As satellites, Andromeda II and Fornax are most likely to have formed their metal-rich populations during their pericentric passages; however this scenario is dependent on these dwarfs passing through pericentre while retaining a sufficient supply of star-forming gas. Otherwise, mergers and interactions with other subhaloes or filaments are likely to play the main role. The analyses of dwarf star formation histories and proper motions, in light of results from *Gaia* (Gaia Collaboration et al. 2018), should shed light on the applicability of the pericentre scenario to individual dwarfs.

## 6 PROPERTIES OF TWO-METALLICITY POPULATION DWARFS

In this section we explore properties of two-population satellites and field dwarfs. Of particular interest are the ellipticities of the individual populations, the significance of rotation, velocity anisotropy, metallicity gradients, and the velocity dispersion ratio of the two populations. We investigate whether these properties contain information about the formation paths of these galaxies. We show these properties in Fig. 13, which displays satellite and field dwarfs with  $r_{mr}/r_{mp} < 0.65$  with coloured symbols, with the rest of dwarfs that show bimodality in their metallicity distributions



**Figure 13.** Properties of individual subpopulations. Colours denote formation mechanisms (see legend). The symbol sizes indicate the logarithm of stellar mass. The black dashed lines are one-to-one relations. First row: The sphericity of the two populations,  $cl_a$ . Second row: The fraction of stellar particles in ordered rotation,  $f_{rot}$ . Third row: Velocity anisotropy,  $\tilde{\beta}$ . Fourth row: The metallicity gradient,  $\Delta[Fe/H]/\Delta R/R_{hl}$ , as a function of the ratio of the projected half-mass radii,  $R_{mr}/R_{mp}$ . Fifth row: The ratio of the line-of-sight velocity dispersions as a function of  $R_{mr}/R_{mp}$ .

shown in grey. The size of the symbols reflects the logarithm of the stellar mass of the dwarfs.

We define sphericity as the ratio,  $s = c/a$ , where  $c^2$  and  $a^2$  are the eigenvalues of the reduced inertia tensor corresponding to the minor and major axes of a 3D ellipsoid (Bett et al. 2007). An isotropic distribution would have  $s = 1$ . The upper panels of Fig. 13 show the individual sphericities of the metal-rich (horizontal axis) and the metal-poor populations (vertical axis). Field dwarfs are shown in the left-hand panel and satellites in the right. The black circles represent dwarfs with two spatially segregated metallicity populations, where the formation of the metal-rich-population has occurred as a result of a merger, while the red circles show satellites where the metal-rich population has formed as a result of the first pericentric passage. The blue circles show objects where the metal-rich population is the result of a galaxy's interaction with a cosmic filament or a nearby galaxy. It is clear that satellites tend, on average, to be more spherical than field galaxies. Additionally, the subset of satellites whose star formation peaks near first pericentre also tends to be more spherical than the rest of the sample. The field dwarfs with high spatial segregation tend to have more spherical metal-rich populations. This could be a reflection of the effects that the mergers responsible for the creation of a metal-rich population have on the shape of these galaxies.

We characterize the rotation of individual subpopulations by the fraction of stars within that subpopulation that are rotating in the same direction. In the second row of Fig. 13 we show these fractions for the metal-rich,  $f_{\text{mr}}$ , and the metal-poor,  $f_{\text{mp}}$ , populations. The metal-rich populations tend to exhibit stronger rotation than the metal-poor populations, in both satellites and field dwarfs. Field dwarfs with high spatial segregation appear closer to the one-to-one relation, whilst satellites with star formation peaking near pericentre show a small bias towards more rapidly rotating metal-rich populations. Evidence of rotation has been found in real two-population Local Group dwarfs (Battaglia et al. 2008; Ho et al. 2012; del Pino et al. 2017a).

We define the orbital anisotropy as  $\beta = 1 - \sigma_t^2 / (2\sigma_r^2)$ , where  $\sigma_t$  and  $\sigma_r$  are the tangential and radial velocity dispersion components, respectively. In the third row of Fig. 13 we plot the anisotropy, normalized to lie between 1 (radial) and  $-1$  (tangential),  $\beta = \beta / (2 - \beta)$  (Read & Steger 2017). These values are averaged in bins of equal particle number. The dotted lines indicate isotropy. It is clear that stars in field dwarfs have preferentially radially biased motions that are stronger in the metal-poor population. This behaviour is less extreme in satellites perhaps reflecting preferential stripping of radially biased orbits.

The fourth row of Fig. 13 shows the projected metallicity gradients of our satellite and field dwarfs as a function of  $R_{\text{mr}}/R_{\text{mp}}$ . The uncertainties were derived by calculating these quantities along 1536 evenly distributed lines of sight (Górski et al. 2005). The metallicity gradients are characterized by the slope of the least-squares fit to  $[\text{Fe}/\text{H}]$  and  $R/R_{\text{hl}}$ , where  $R_{\text{hl}}$  is the projected half-light radius. In this fit we exclude the extremely metal-poor stellar particles ( $[\text{Fe}/\text{H}] < -4$ ) as these are unreliable given the mass resolution of our simulations (Schaye et al. 2015). We also only include the stars within  $5R_{\text{hl}}$ , which excludes the outer halo stars that would be difficult to differentiate from background in observations. Galaxies with strong spatial segregation exhibit particularly steep gradients, in some cases, more than twice as steep as the typical value for the sample ( $\Delta[\text{Fe}/\text{H}]/\Delta(R/R_{\text{hl}}) \sim -0.1$ ). This is consistent with the metal-poor halo assembly through early mergers seen in the simulations of Revaz & Jablonka (2018). The purple symbols show the metallicity gradients in Sculptor and Fornax, respectively,

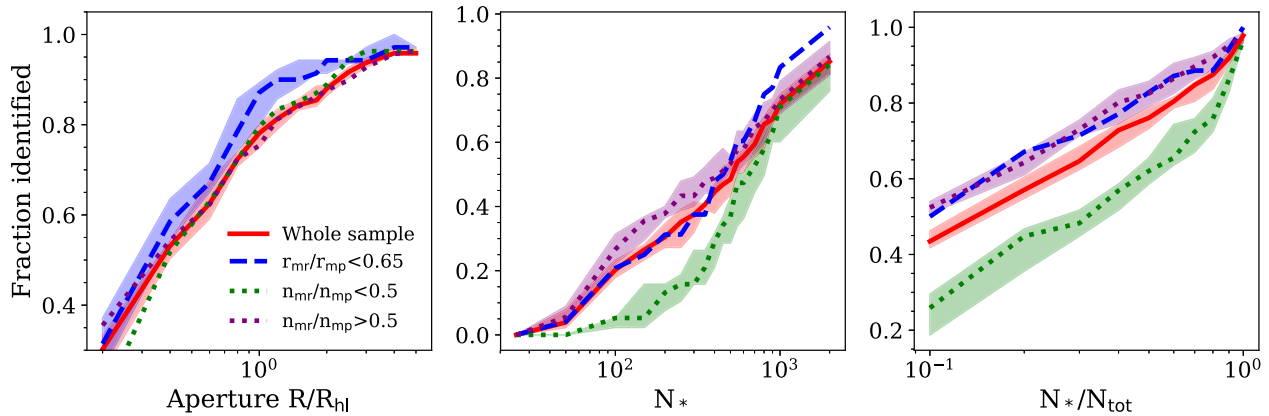
obtained from Kirby et al. (2010), where we take the  $\Delta[\text{Fe}/\text{H}]/\Delta r$  values and multiply by the half-light radii from McConnachie (2012), carrying the errors, for better comparison with what we measure in our simulations. These observations are consistent with the steep metallicity gradients present in satellites in our simulations with well spatially segregated populations. In particular, note that Sculptor, overlaps within  $1\sigma$  with two satellite dwarfs that has formed via a merger (black points). One of these galaxies is dwarf S-1 and another follows a similar formation history.

Finally, the bottom panel of Fig. 13 shows the ratio of the line-of-sight velocity dispersions of the two populations,  $\sigma_{\text{mr, los}}/\sigma_{\text{mp, los}}$ , plotted against the ratio of the projected half-mass radii. These quantities are of particular interest in the application of the Walker & Peñarrubia (2011) method for the determination of the inner dark matter density slopes. The two quantities follow a very clear relation. This is not surprising, as the velocity dispersion is expected to scale with enclosed mass. Satellites appear to have a less significant kinematic difference between the two populations than field dwarfs. Sales, Helmi & Battaglia (2010) show that this may be due to the effects of tidal stripping. We have investigated this and found only a weak trend, which may be due to star formation at pericentre, which Sales et al. (2010) do not include in their analysis. The values for Sculptor and Fornax, taken from Walker & Peñarrubia (2011), are plotted in the figure. These values lie well below our relation even after taking into account the effects of projection. The origin of this discrepancy is unclear and might be due to the differences in the way in which the two metallicity populations are defined in the simulations and in the data; in particular, metallicity mixing between the two populations may have an effect. Additionally, the larger typical sizes of our sample of dwarfs compared to real dwarfs may contribute to this discrepancy, in particular by increasing the velocity dispersion of the metal-rich population, although the effect of the larger overall sizes on  $R_{\text{mr}}/R_{\text{mp}}$  is not entirely clear.

From these considerations we conclude that the spatial and kinematic properties of individual subpopulations do not provide sufficient information on the formation paths of the two subpopulations; many of the observed differences are primarily due to environmental effects (satellites or isolated dwarfs) and seem to be independent of stellar mass. Nonetheless, we have seen that satellites tend to have a smaller number of metal-rich stars relative to metal-poor stars than field dwarfs. This is almost certainly due to the smaller gas supply available to form the metal-rich stars due to tidal and ram pressure stripping of gas as the satellite falls in. In this case, the constraints on the stellar ages, metallicities and the satellite orbit should allow one to distinguish between the merger or pericentric passage origin of the metal-rich population.

## 7 METALLICITY BIMODALITY IN LOCAL GROUP DWARFS

In this work we have identified a sample of dwarf galaxies within the APOSTLE suite of simulations that exhibit a bimodality in their  $[\text{Fe}/\text{H}]$  distribution, which we define as an indicator of the presence of two metallicity populations. These galaxies make up nearly half of our overall sample in the stellar mass range  $3 \times 10^6 - 1 \times 10^9 M_{\odot}$ . Whilst signs of bimodality have been seen in the metallicity distributions of Sculptor (Kirby et al. 2009) and Fornax (Battaglia et al. 2006), the shapes of the distributions also tend to change with different or updated samples of stars (Kirby et al. 2013). In fact, the work of Walker, Mateo & Olszewski (2009), with data for over 1000 stars in both Sculptor and Fornax, shows no trace of



**Figure 14.** The fraction of two-population dwarfs detected when varying three key quantities. Left: The aperture within which the stellar sample is detected as a function of the projected half-light radius. Middle: The number of stars used within each galaxy. Right: Fraction of the total number of stars. The colours show different subsamples of dwarfs, with the whole sample of two-population dwarfs in red; those that are well spatially segregated in blue; dwarfs with a dominating metal-rich population in purple and dwarfs with a dominating metal-poor population in green. The shaded bands show the 16th and 84th percentiles from varying lines of sight. We only show the shaded bands for those subsamples of dwarfs that deviate significantly from the results for the whole sample.

two metallicity peaks.<sup>6</sup> We thus aim to establish to what extent does the sampling of stars and the spatial extent of the observed region affect the effectiveness of our method, described in Section 2.4, in determining the number of populations in a given dwarf.

We begin by considering our entire sample of two-population dwarfs. For each of these dwarfs we select 192 evenly spaced lines of sight with the method of Górski et al. (2005) and change the size of the ‘aperture’ in units of the projected half-light radius, ranging between  $0.2R_{\text{hl}}$  and  $5R_{\text{hl}}$ . We select the stars contained within the aperture and apply our method for determining the number of populations. The results are shown with the red line in the left-hand panel of Fig. 14, where we show the fraction of two-population galaxies identified correctly as a function of radius. Note that this requires all stars to be observed within this radius. The shaded regions represent the  $1\sigma$  scatter from different lines of sight. It can be seen that the stars extending out to at least  $2R_{\text{hl}}$  are required to correctly identify all galaxies. Within the half-light radius  $\sim 80$  per cent of systems are identified. This statistic is improved for dwarfs with a significant spatial segregation between the two populations (blue line), where the data within the half-light radius is sufficient to identify two peaks. Note that whilst the two peaks may be found, the spatial segregation may not be apparent if the metal-poor population is particularly extended. The galaxies with a dominant metal-rich (purple) and a dominant metal-poor (green) populations do not significantly differ from the trend for all galaxies.

In the middle panel of Fig. 14 we show the fraction of correctly identified galaxies as a function of the number of stellar particles within the sample. The shaded bands indicate the scatter due to particle sampling. Here we only include dwarfs with at least 2000 stellar particles. It can be seen that even with a sample of a 1000 stars only 70 per cent of the dwarfs show bimodality. For a typical sample of  $\sim 300$  stars only 40 per cent show two metallicity peaks. The fraction is smaller for dwarfs with a dominant metal-poor population. This is characteristic of satellites that form their metal-

rich population through the pericentric passage route. This is also evident in the rightmost panel, where we show the fraction of the total number of stars within the galaxy. A full sample is required to ensure 100 per cent detection of two peaks. From the leftmost panel, we can see that this requires data from within  $\sim 2-3R_{\text{hl}}$ .

From the sample of McConnachie (2012), there are collectively 25 Milky Way and Andromeda satellites that fall within the magnitude range explored in this paper. If, similar to our sample, 40 per cent of these have bimodality in their metallicity distribution ( $\sim 10$  galaxies), then provided a sample of spectroscopically determined metallicities and a typical sample size of  $\sim 300$  stars, we expect that 2–5 of those will be found to exhibit bimodality.

With the above in mind, we examine the data provided by Kirby et al. (2013) for signs of bimodality in the metallicity distributions. This is described in Appendix C, where our method only identifies two populations in Sculptor, with a metallicity cut between the two consistent with Battaglia et al. (2008). The spatial extent of these data however does not allow inferences to be made about the spatial segregation of the two populations.

We conclude that whilst the sample sizes currently observed may be sufficient for our method to identify bimodality, further spectroscopic measurements are needed, in particular for the metal-poor population in the outer regions of dwarfs, although obtaining these may be extremely challenging due to increasing background contamination.

## 8 CONCLUSIONS

A number of dwarf galaxies of the Local Group contain two spatially and kinematically distinct stellar populations. The origin of this phenomenon is not fully understood although several scenarios have been proposed in the literature. In particular mergers are thought to play an important role (Łokas et al. 2014; Starkenburg, Helmi & Sales 2015; Benítez-Llambay et al. 2016; Fouquet et al. 2017). This scenario has some backing from observations of substructure and rotation in dwarfs like Fornax and Andromeda II.

In this work we have examined 142 field and 108 satellite dwarf galaxies from the APOSTLE suite of cosmological hydrodynamics simulations. We find that 43 per cent of field dwarfs and 53 per cent

<sup>6</sup>Note that Walker et al. (2009) use spectroscopically determined magnesium and iron line indices as indicators of  $[\text{Fe}/\text{H}]$ . These authors note that the indices are better used as measures of relative metallicity.

of satellite dwarfs show bimodality in their [Fe/H] distributions and among those  $\sim 30$  per cent are well spatially segregated.

We first consider field dwarf galaxies. We find that their stellar accretion fraction is directly related to the degree of spatial segregation between the two metallicity populations. We find evidence that this is primarily due to the metal-poor stars migrating to larger orbital radii as a result of a merger. The metal-rich population is subsequently formed in-situ. Among the field dwarfs with two well-segregated metallicity populations,  $\sim 90$  per cent form their metal-rich populations by this mechanism.

In addition to the merger scenario for the formation of two population dwarfs, we identified a formation mechanism that is specific to satellite galaxies. As the satellite falls into its host halo, ram pressure may compress the gas at the centre of the satellite whilst simultaneously stripping gas from the outer regions. As a result, a new population of stars forms at the centre of the satellite. Of the satellites with two well spatially segregated populations  $\sim 60$  per cent form their metal-rich population through this mechanism.

A related process that occurs in both satellites and field dwarfs is interaction with a gaseous cosmic filament. When a galaxy crosses a filament, ram pressure may trigger star formation activity, whilst simultaneously stripping the outer gas. Nonetheless, we find that this mechanism is responsible for the formation of metal-rich stars in only  $\sim 10$  per cent of galaxies with two well segregated populations.

We also investigate the properties of the individual metallicity subpopulations, specifically rotation, sphericity, and velocity anisotropy. In general, we find that both populations tend to have higher sphericities in satellites than in field dwarfs. This is consistent with previous work on the effects of tidal stripping (Barber et al. 2015). In field dwarfs the metal-poor population is typically rounder than the metal-rich population; stars in both populations tend to have radially biased orbits, more so in the metal-poor population. In satellites this bias is smaller due to the preferential stripping of stars in radial orbits.

The presence of two metallicity populations results in metallicity gradients similar to those in two-population Local Group dwarfs, particularly Sculptor and Fornax; these resemble galaxies in our sample that have undergone mergers. On the other hand, the ratio of the line-of-sight velocity dispersions of the two populations in Sculptor and Fornax appear inconsistent with the ratios in our sample. The origin of this discrepancy is unclear but it could be influenced by differences in the definitions of the two metallicity populations.

We investigated whether the spatial and kinematic information on the individual populations could help identify their formation mechanism, particularly in satellite dwarfs. We found that the available information is insufficient for this purpose. Nonetheless, measurements of stellar metallicities and constraints on dwarf orbits and star formation histories will provide important clues on their likely origin.

We have explored how many Local Group satellites, in the magnitude range similar to that explored in this paper, are likely to be identified as having a bimodal metallicity distribution given observational limitations. Our results suggest that approximately 2–5 objects should be detectable, given spectroscopic samples of  $\sim 300$  stars. We use our method to identify two populations in Sculptor dwarf spheroidal, consistent with previous works. We point out that data with a large spatial extent ( $> 2R_{\text{hl}}$ ) which contains over 1000 stars is required for  $\sim 70$  per cent detection and is particularly important for identifying galaxies with dominant metal-

poor populations, such as those that have formed their metal-rich population by passing through pericentre.

## ACKNOWLEDGEMENTS

This work benefited from the use of SCIKIT-LEARN (Pedregosa et al. 2011) and PY-SPHVIEWER (Benitez-Llambay 2015). The authors thank Till Sawala, Louis Strigari, and Evan Kirby for useful communications. We would like to thank an anonymous referee for detailed and constructive comments that led to significant improvements in this paper. This work was supported by the Science and Technology Facilities Council (STFC) consolidated grant ST/P000541/1. AG acknowledges an STFC studentship grant ST/N50404X/1. CSF acknowledges support by the European Research Council (ERC) through Advanced Investigator grant DMIDAS (GA 786910). JFN acknowledges the hospitality of the Kavli Institute for Theoretical Physics at UC Santa Barbara and of the Aspen Center for Physics. This research was supported in part by the National Science Foundation (NSF) under Grants No. NSF PHY-1748958 and PHY-1607611. KO received support from VICI grant 016.130.338 of the Netherlands Foundation for Scientific Research (NWO). AF acknowledges support by a European Union COFUND/Durham Junior Research Fellowship (under EU grant agreement no. 609412). This work used the Distributed Research utilizing Advanced Computing (DiRAC) Data Centric system at Durham University, operated by the Institute for Computational Cosmology on behalf of the STFC DiRAC HPC Facility ([www.dirac.ac.uk](http://www.dirac.ac.uk)). This equipment was funded by BIS National E-infrastructure STFC capital grant ST/K00042X/1, STFC capital grant ST/H008519/1, and STFC DiRAC Operations grant ST/K003267/1 and Durham University. DiRAC is part of the National E-Infrastructure. This work used the UK Research Data Facility (<http://www.archer.ac.uk/documentation/rdf-guide>).

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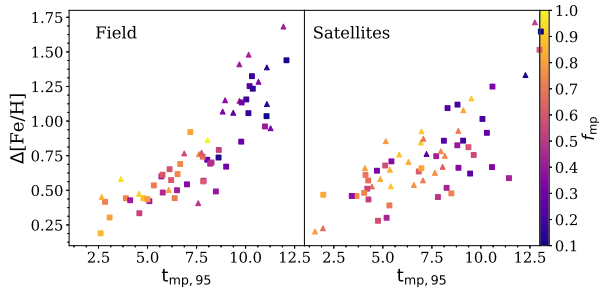
## APPENDIX A: BIMODALITY IN THE METALLICITY DISTRIBUTION

We discuss the origin of the bimodality in the metallicity distribution that allows our method to identify two metallicity populations. In particular, we focus on the creation of a ‘gap’, or the separation, between the two metallicity peaks and of the ‘dip’ in the distribution (i.e. the minimum between the two metallicity peaks). We note that the ‘dip’ can be a feature of the Gaussian mixture fit, rather than of the metallicity distribution itself. In fact, the region where the metallicity cut is placed can be rather flat in certain cases. This region between the two metallicity peaks does, however, play a role in determining the optimal number of Gaussian mixtures in the fit to the distribution and therefore our ability to identify two peaks.

### A1. The gap between the two metallicity peaks and spatial segregation

Given a supply of gas available for star formation, a galaxy will gradually self-enrich as the newly produced stars pollute the interstellar medium with metals through mass-loss and supernovae winds. In this simplistic assumption the spread of a metallicity distribution for a single population should be related to the time taken to produce that population. Consequently, the ‘gap’ between peak metallicities of the two populations should be related to the difference in their formation times.

In the left-hand panel of Fig. A1 we show the separation between the metal-rich and the metal-poor population peaks,  $\Delta[\text{Fe}/\text{H}]$ , as a function of the approximate time when the metal-poor stars stopped forming, defined as the 95th percentile of the metal-poor stellar particle formation lookback times,  $t_{\text{mp},95}$ . The points are coloured by the fraction of metal-poor stars within the galaxy. The left panel displays the field galaxies and the right-hand panel shows the satellite dwarfs. In case of the field galaxies a very clear trend is seen, where higher metallicity separations occur in galaxies that form their metal-poor population quickly, thus allowing the metal-rich population to build up whilst star formation is ongoing. This trend is also seen for satellite dwarfs, but with significant scatter. It appears that the metal-poor population in satellites forms later than in field dwarfs, typically around  $\sim 7$  Gyr in lookback



**Figure A1.** The ‘gap’ between the peak metallicities of the metal-rich and metal-poor populations as a function of the lookback time to when the metal-poor population stopped forming,  $t_{mp, 95}$ . The points are coloured by the fraction of metal-poor stellar mass. Field galaxies are shown on the left and satellites on the right. The galaxies that have a particularly large spatial segregation are shown with triangles. It is clear that these are not dependent on the size of the metallicity peak separation.

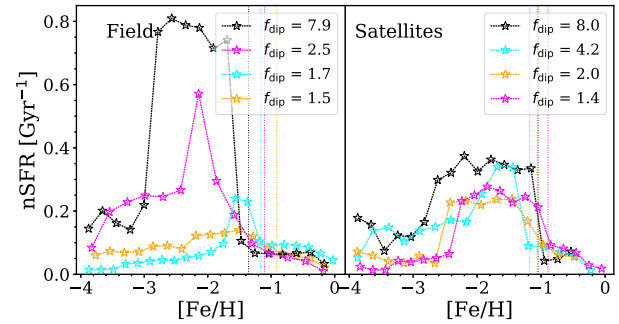
time. However, for the same metal-poor population formation time we now see a wide range of fractions of metal-poor stars. The mechanism responsible for the formation of the two populations in these galaxies must then also cause star formation to stall so that only relatively few metal-rich stars are able to form. We have established that the infall of the satellite into the host halo and the stripping of its available gas is capable of providing these conditions.

The triangles mark the galaxies that are spatially segregated. It is evident that spatial segregation may occur for any metallicity peak separation. However, in the limit where the metal-poor population is strongly dominant by mass or the metal-rich stars have little time to form, one might also expect to see strong spatial segregation due to the first metal-rich stars preferentially forming in central high-density regions. This is evident in the case of satellite galaxies, where the majority of galaxies with two well-segregated populations have very large fractions of metal-poor stars and are clearly distinct from the rest of the sample.

## A2. The transition between the metal-poor and the metal-rich population

What causes the ‘dip’ in the metallicity distribution that allows us to define a boundary between two populations?

In Fig. A2 we investigate four field and four satellite galaxies with well defined ‘dips’. We define  $f_{dip}$  as the ratio of the height of the metal-poor population peak to the height of the distribution at which the metallicity cut is placed in a normalized  $[Fe/H]$  histogram. We show the median star formation rate normalized by the total stellar mass,  $nSFR$ , for bins in metallicity. The dotted vertical lines show the metallicity at which we place the cut between the two populations. It is evident that larger ‘dips’ correspond to larger drops in star formation rate near the boundary between the two populations. The metal-poor stars appear to have formed at a larger than average rate, while for the metal-rich population formation, the star formation rate drops significantly. Note that after the drop in star formation, the stars form at an approximately constant rate for field dwarfs, such that the metal-rich population takes a long time to complete its formation, which is consistent with the origin of the metallicity ‘gap’ proposed earlier. For the satellite galaxies, one can see a gradual decrease in the star formation rate following the drop. This gradual decrease in star formation activity is consistent with



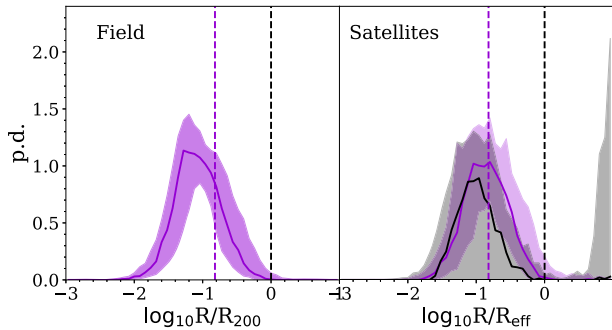
**Figure A2.** The median star formation rate in bins of stellar metallicity, normalized by the stellar mass of the galaxy, shown for four example galaxies with metal-poor peak to ‘dip’ ratio,  $f_{dip}$ , given in the legend. The values represent how quickly the stars in each metallicity bin form.

rapid removal of gas following infall in satellites (Simpson et al. 2018).

## A3 Where is the gas enriched?

One may now ask whether it is gas enriched within the galaxy or elsewhere that causes the formation of the metal-rich stars. In order to investigate this, we track all gas particles that have spawned a stellar particle and the evolution of their metallicity. We find the position of these particles when they first cross the metallicity threshold that would allow them to be classified as metal-rich particles. In the left-hand panel of Fig. A3, for field galaxies, we show a stacked histogram of these positions, together with the 16th and the 84th percentiles, normalized by the virial radius of the halo at that time. The black dashed line shows the location of the virial radius. It can be seen that almost all particles reach the metallicity required to form a metal-rich star within the virial radius of the halo and only  $\sim 1.5$  per cent are enriched outside the halo. In a merger each of the merger partners can carry on forming stars, until the stellar components have also merged into a single stellar halo. The purple dashed line shows the typical galaxy stellar size,  $0.15 \times R_{200}$ . Approximately 65.5 per cent of gas particles are enriched within the stellar halo of the galaxy and only 33 per cent are enriched outside and within the virial radius. We thus conclude that the enrichment necessary to form a metal-rich population is mostly self-enrichment within the galaxy whether it is in the process of merging or not.

In the right-hand panel of Fig. A3, we show the corresponding distributions for satellite dwarfs. The positions are normalized by a radius,  $R_{eff}$ , which is the virial radius pre-infall (purple stacked histogram) or the tidal radius of the satellite after infall (black stacked histogram). As in the case of field dwarfs, it is clear that prior to infall enrichment occurs within the galaxy, with only  $\sim 3$  percent of the gas being enriched elsewhere. After infall, the individual histories for each satellite vary significantly, with some undergoing no further enrichment at all and others showing evidence of further self-enrichment, as displayed by the grey-shaded region. A significant fraction of galaxies appear to accrete some of their gas after infall (see the 84th percentile peak outside of the virial radius). A satellite may be able to accrete some of its host’s enriched gas if it is moving at a sufficiently low relative velocity. We conclude that the formation of the metal-rich particles in satellites is triggered primarily by star formation activity and by self-enrichment of gas within the satellite itself.

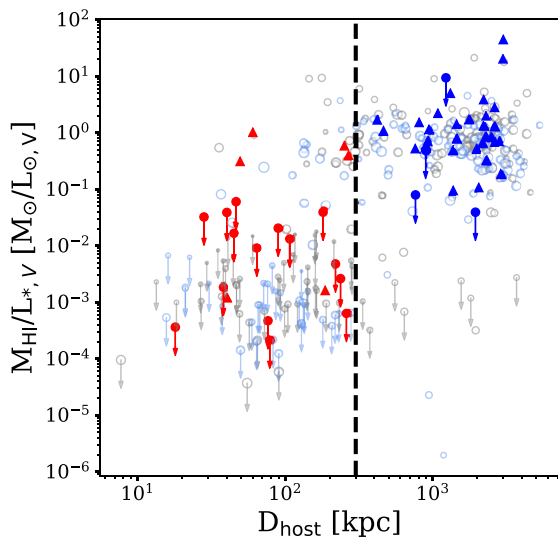


**Figure A3.** The position of the gas particles destined to form a metal-rich star at the time when they crossed the metal-rich metallicity threshold, normalized by the virial radius of the halo. The median histogram shape is shown with a purple line and the bands represent the 16th and the 84th percentiles. The black and purple dashed lines represent the virial radius and the typical galaxy stellar halo size ( $0.15 \times R_{200}$ ), respectively.

## APPENDIX B: THE GAS CONTENT OF SIMULATED DWARFS

The mechanisms of formation of the two metallicity populations that we identify in this work are largely dependent on the availability of star-forming gas within the dwarfs. It is therefore important to establish whether the H I content of dwarf galaxies within the APOSTLE suite resembles that of the real Local Group dwarfs.

The determination of H I content would ideally involve the inclusion of radiative transfer schemes and the cold dense ISM

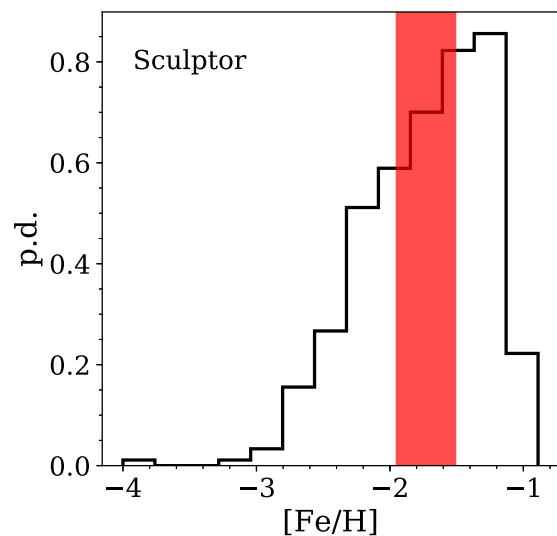


**Figure B1.** The ratio of mass in H I to the stellar  $V$ -band luminosity as a function of the dwarf's distance from the nearest host galaxy at  $z = 0$ . The grey empty circles are single population galaxies and the blue are two-population dwarfs. The size of the circles is reflective of the logarithm of their stellar mass. The empty circles with arrows represent galaxies with no resolved H I content. Their value is set by the SPH particle mass. The filled red and blue symbols show the measurements for satellites and Local Volume dwarfs, respectively, taken from [McConnachie \(2012\)](#) and [Spekkens et al. \(2014\)](#). The filled symbols with arrows show upper limits. The black dashed line at 300 kpc represents a typical value of the Milky Way's virial radius.

within the simulation code. Unfortunately, these schemes are computationally expensive and are not included within the APOSTLE suite. We thus obtain the H I content of the APOSTLE dwarfs using the fitting function of [Rahmati et al. \(2013\)](#) that relates the total photoionization rate to the hydrogen number density at  $z = 0$  and is calibrated on radiative transfer simulations. The atomic hydrogen fraction is then found using a scaling relation between a fraction of molecular hydrogen and gas pressure. The results of applying this prescription can be seen in [Fig. B1](#). The observations ([McConnachie 2012](#); [Spekkens et al. 2014](#)) are shown with solid symbols and the simulated dwarfs with open symbols. The arrows denote upper limits. It may be seen that the fraction of H I in the APOSTLE dwarfs broadly agrees with the observed values at  $z = 0$ . The satellites (galaxies within 300 kpc of the host) contain little or no gas, whilst the field dwarfs are clustered at  $M_{\text{HI}}/L_{*,V} \sim 1 M_{\odot}/L_{\odot,V}$ , compatible with observations.

## APPENDIX C: TWO POPULATIONS IN SCULPTOR

A number of studies have collected spectroscopically determined stellar metal abundances for Milky Way dwarfs ([Tolstoy et al. 2004](#); [Helmi et al. 2006](#); [Battaglia et al. 2007](#); [Walker et al. 2009](#); [Kirby et al. 2013](#)). In particular, many measurements are available for Sculptor and Fornax. [Kirby et al. \(2013\)](#) have published measurements from medium resolution spectroscopy for 376 Sculptor high-probability members and 676 Fornax members, although for Sculptor the measurements extend to  $\sim 350$  pc (approximately the half-light radius of this dwarf; [McConnachie 2012](#)). [Walker et al. \(2009\)](#) published a larger sample for both dwarfs (1088 stars for Fornax and 1152 for Sculptor with membership probabilities greater than 0.99), with Sculptor members extending to  $\sim 2$  kpc. According to [Fig. 14](#), the analysis of the metallicity distributions should include stars up to  $2R_{\text{hl}}$  to cover the extent of both populations. Thus, the sample of [Walker et al. \(2009\)](#) would be preferred. However, through identifying overlapping stars in the high-resolution spectroscopy data published in [Battaglia et al. \(2007\)](#), we find that the magnesium and iron indices relate to  $[\text{Fe}/\text{H}]$  with very large scatter. We therefore



**Figure C1.** The metallicity distribution of Sculptor members from [Kirby et al. \(2013\)](#). The red band shows the range of cuts, separating the two populations, found with our method.

choose to apply our method to the Kirby et al. (2013) data, where we only select dwarfs for which at least 200 measurements are available.

We sample the errors of each metallicity measurement 1000 times and apply our technique to each sample. We find that none of the dwarfs other than Sculptor display signs of two metallicity populations. For Sculptor, in  $\sim 40$  per cent of samples two populations can be found. This is shown in Fig. C1. Interestingly, the typical cut between the two populations at  $[\text{Fe}/\text{H}] \sim 1.7$  (red band) is consistent

with that found by Tolstoy et al. (2004) for a more extended sample of stars. Based on the shape of the metallicity distribution alone, with a larger metal-rich population, we lean towards a merger scenario for Sculptor, with consequent gas stripping from the Milky Way halo, preventing the formation of more metal-rich stars.

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